

Observational signatures of turbulence in ICM

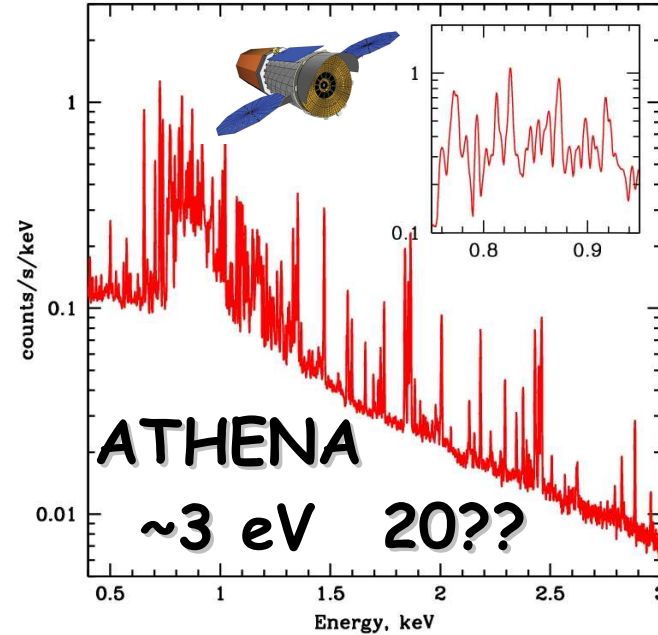
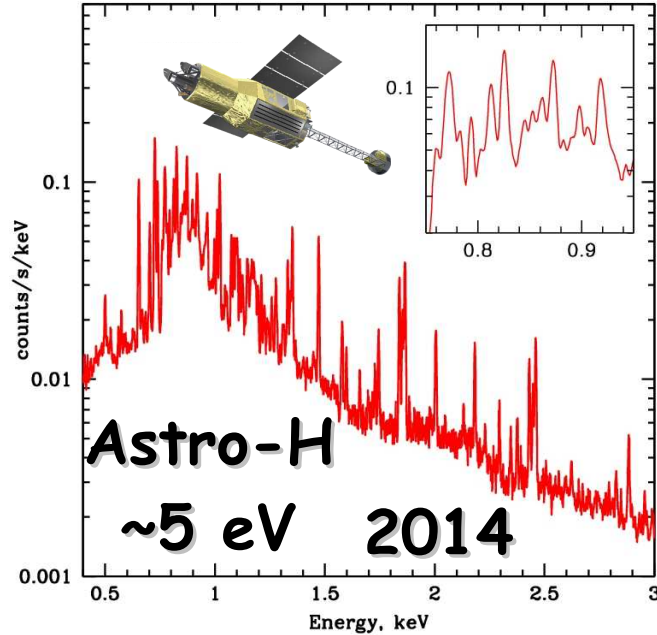
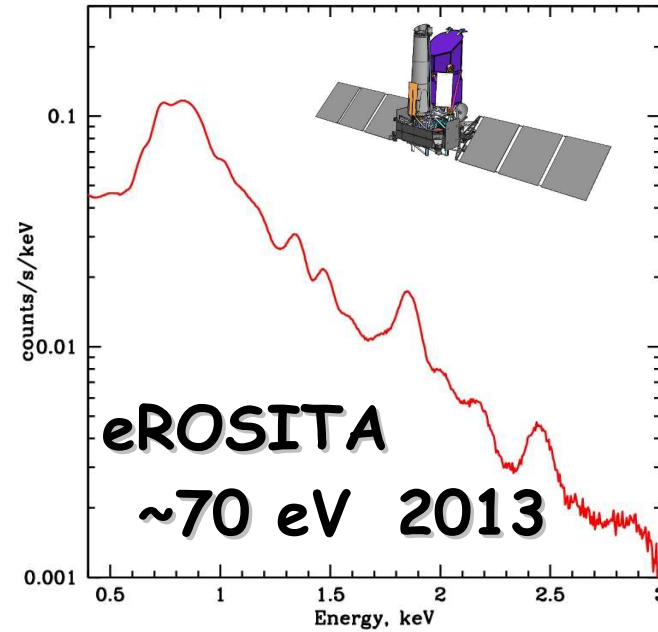
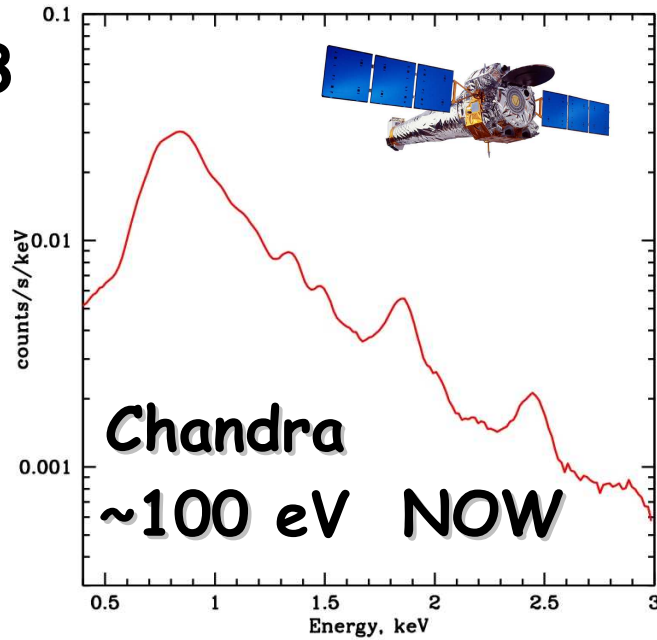
How to measure it?

I. Zhuravleva, E. Churazov, R. Sunyaev, N. Werner,
S. Sazonov, J. de Plaa, A. Kravtsov, W. Forman,
K. Dolag, R. Smith

First eROSITA International Conference, Garmisch 2011

ICM turbulence: direct measurements

NGC 5813
1 Ms obs.

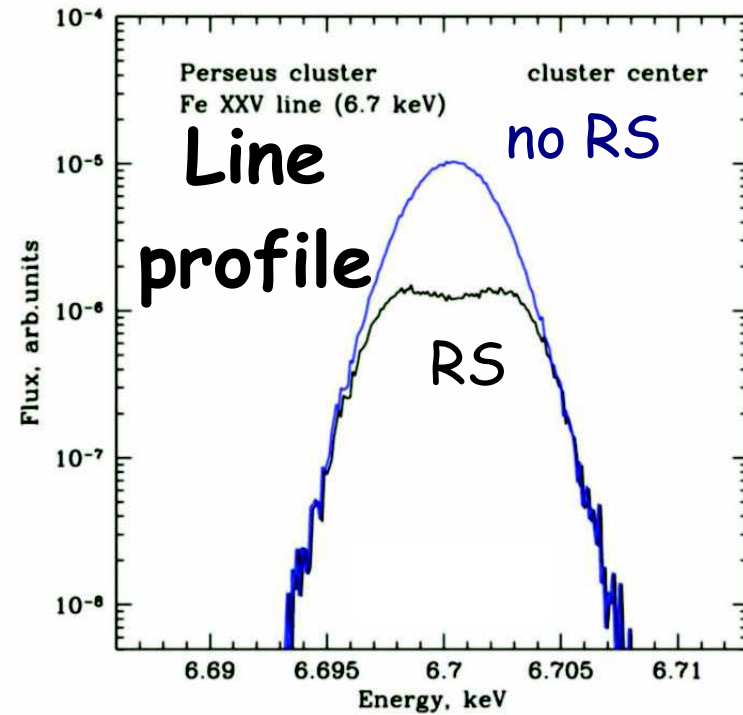
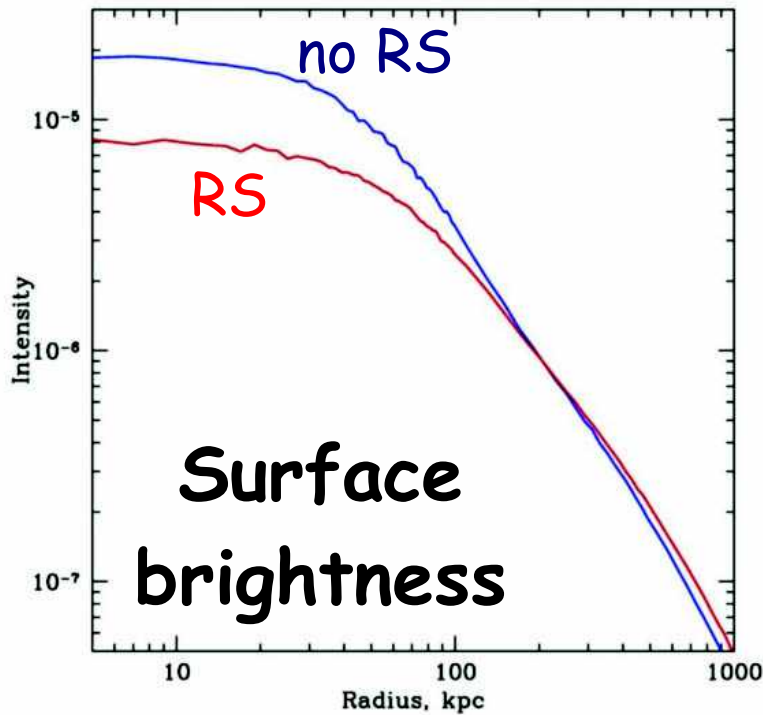


RGS/XMM weak upper limits (Sanders+10)

ICM turbulence: indirect measurements

resonant scattering (RS)

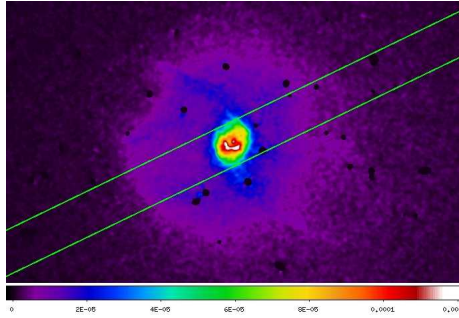
optical depth in resonant lines can be ~ 1 (Gilfanov+87)



$$RS \propto \tau \propto \frac{1}{\Delta E_D} \propto \frac{1}{(V_{\text{therm}}^2 + V_{\text{turb}}^2)^{1/2}}$$

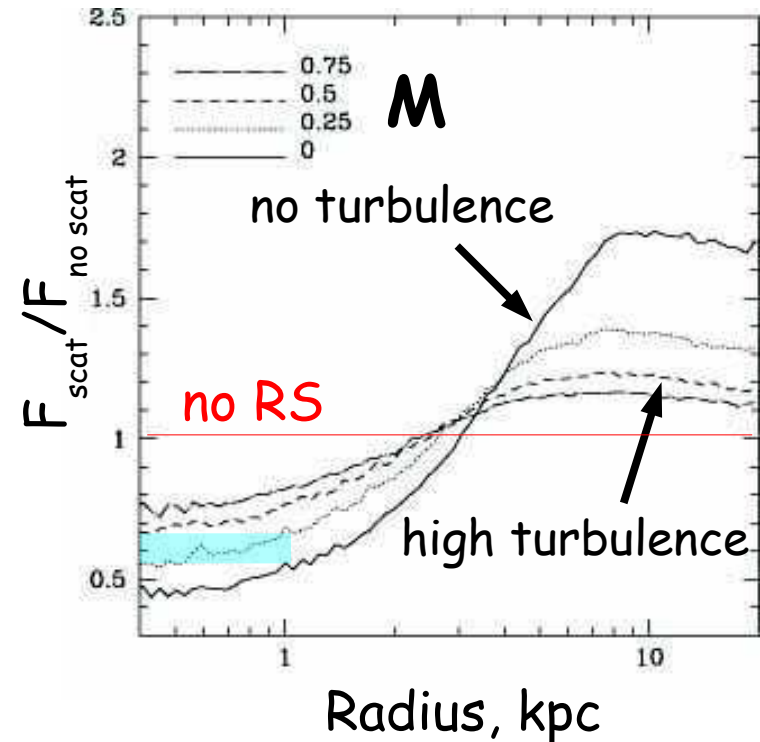
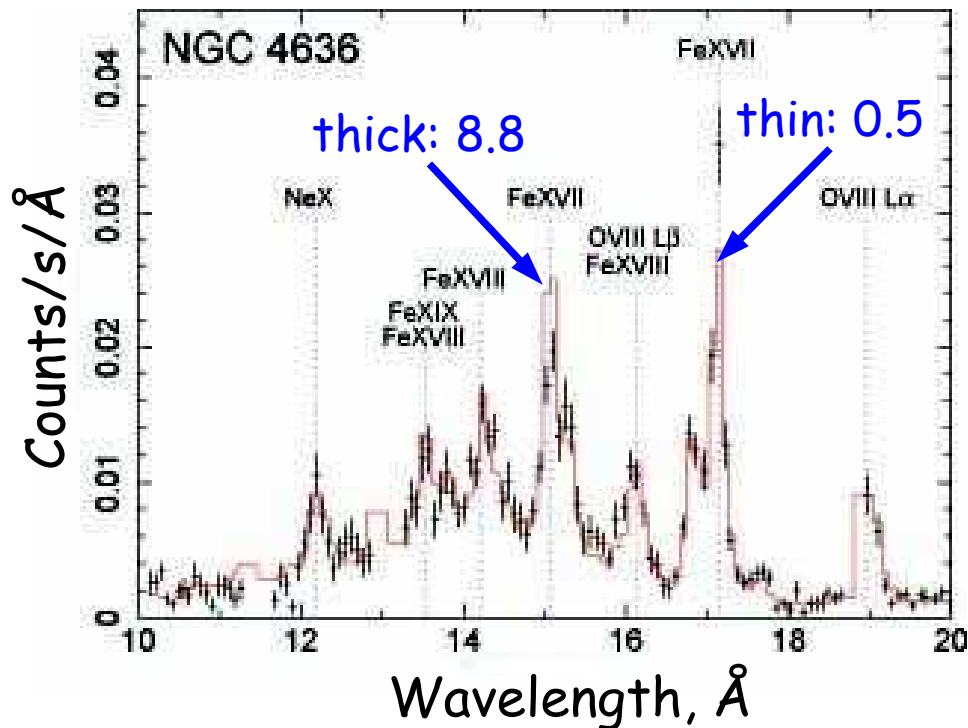
See review Churazov, IZ+10

Resonant scattering: NGC4636



$$F_{thin} / F_{thick} \longrightarrow V$$

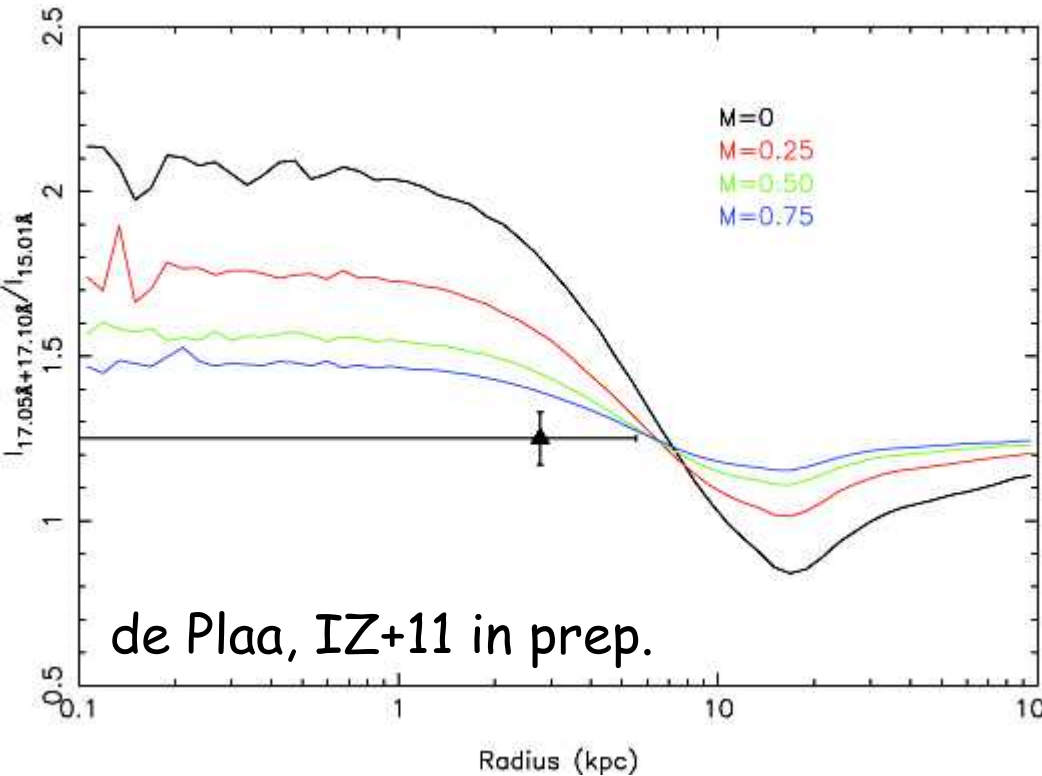
RGS XMM Newton 0.5 arcmin



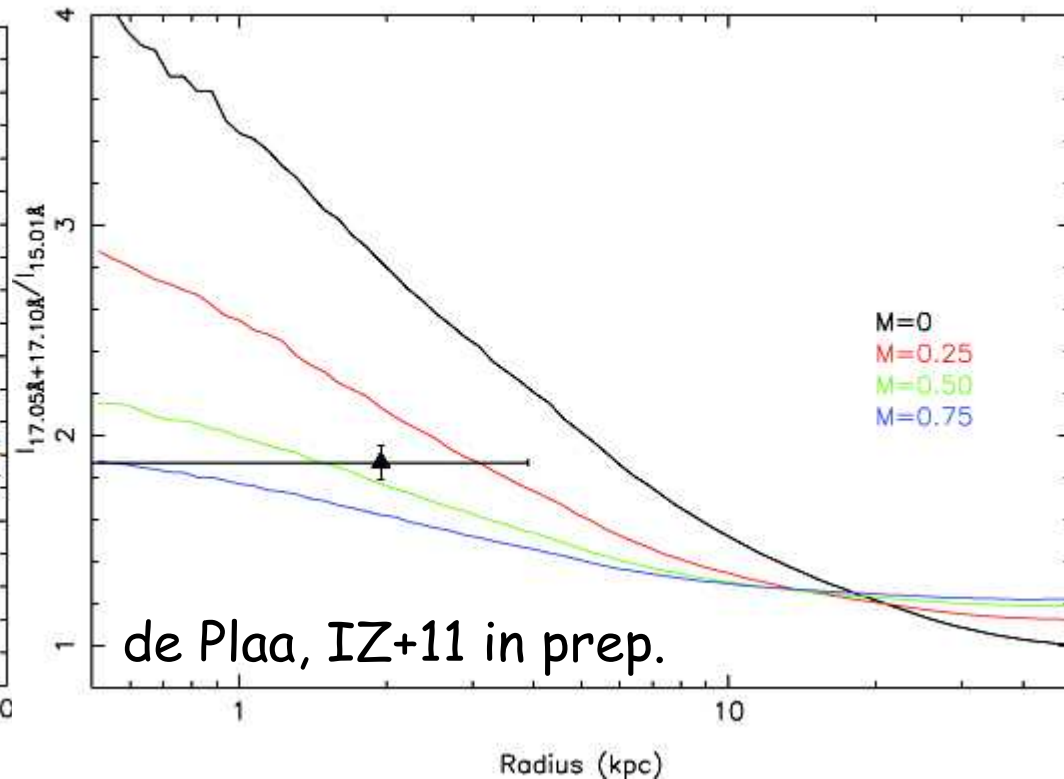
V in the core < 100 km/s

RS: NGC 5044 and NGC 5813

NGC 5044 Model Fe XVII ratios



NGC 5813 Model Fe XVII ratios

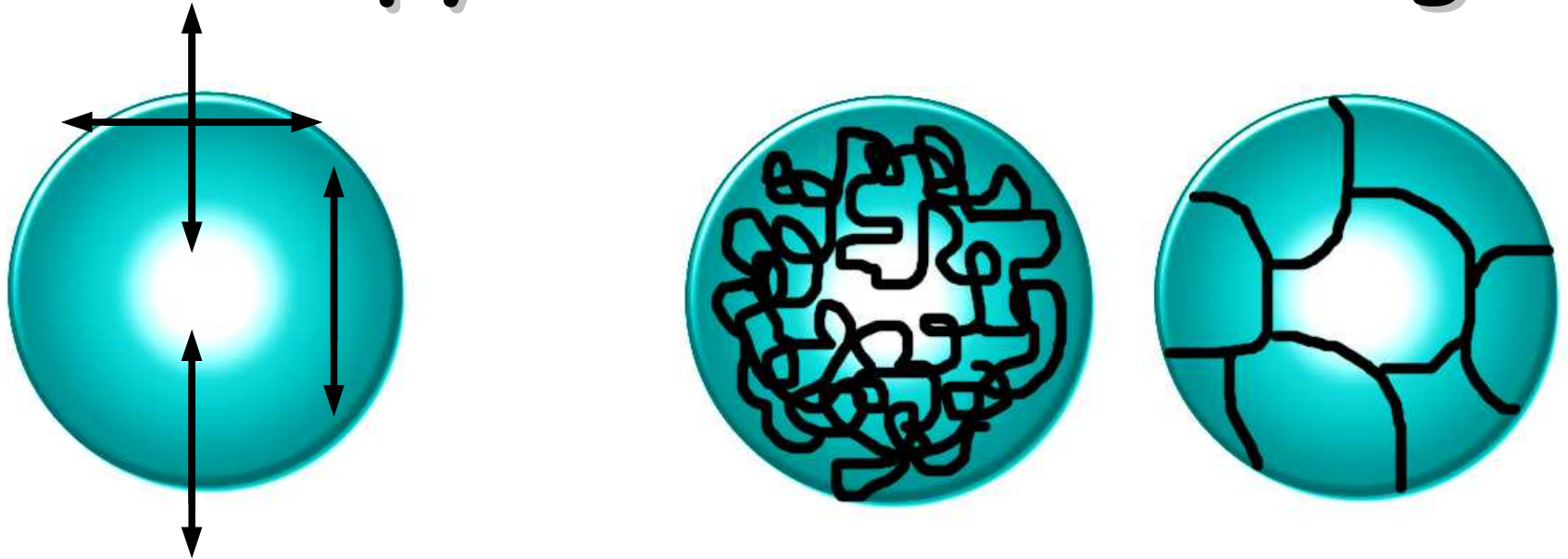


NGC 5044: $300 \text{ (RS)} < V < 950 \text{ (width) km/s}$

NGC 5813: $100 \text{ (RS)} < V < 670 \text{ (width) km/s}$

Crucial point: uncertainties in atomic data

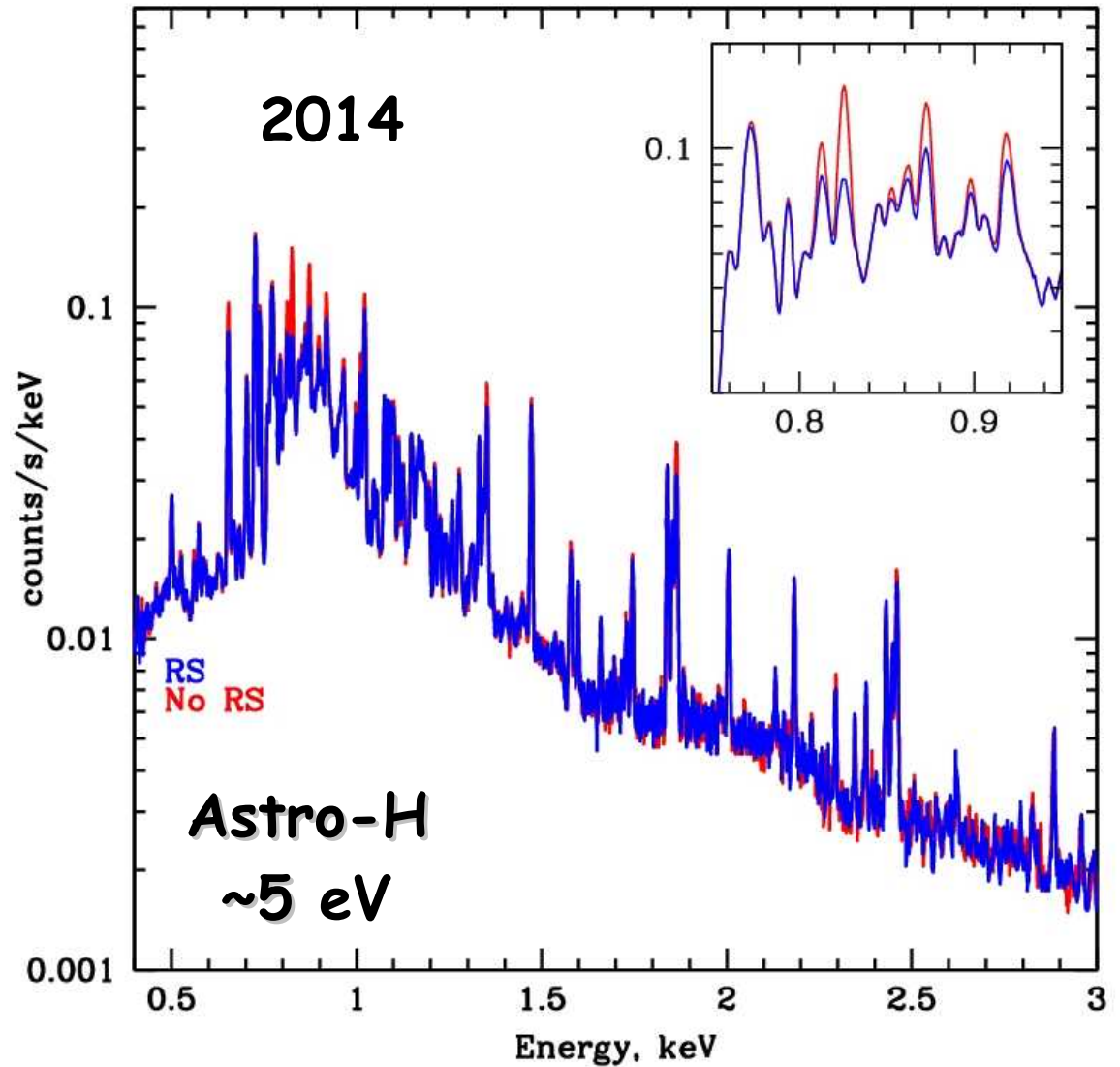
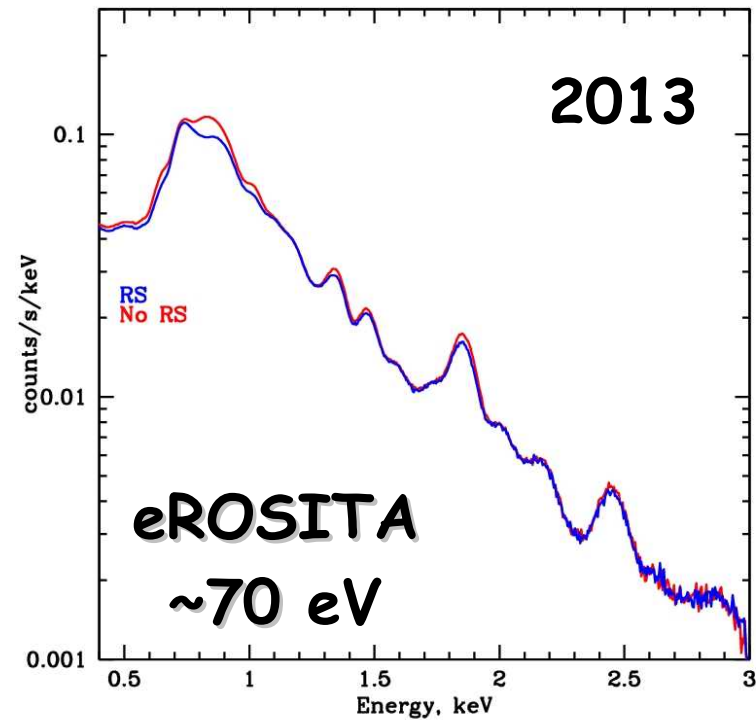
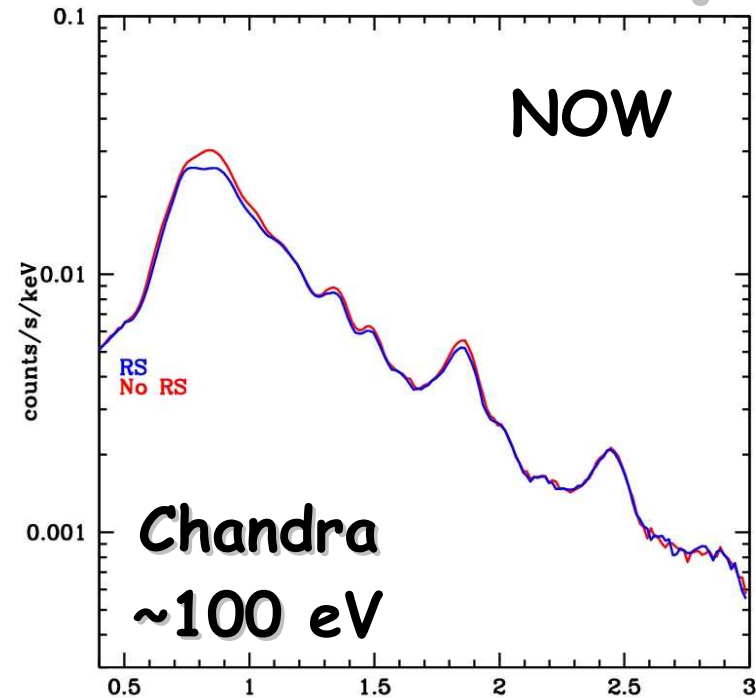
RS: anisotropy + correlation length



RS is mostly sensitive to:

- radial motions
- small scale motions

RS: future prospects



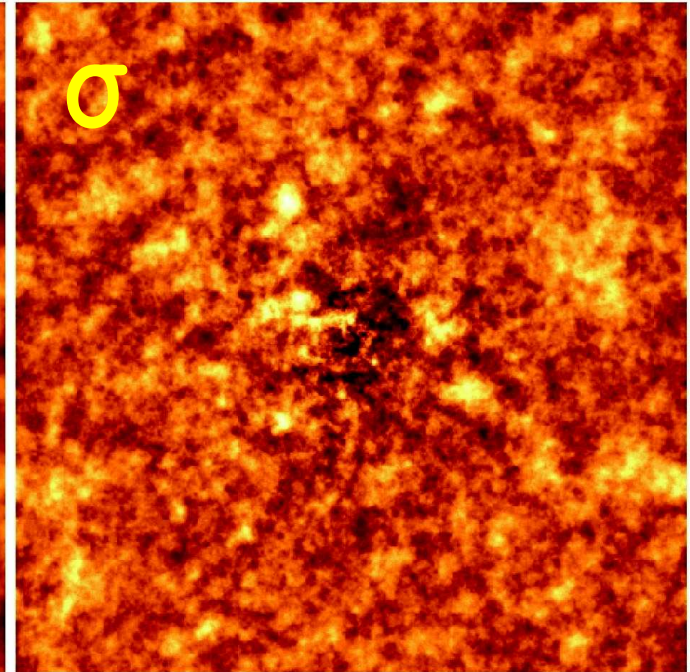
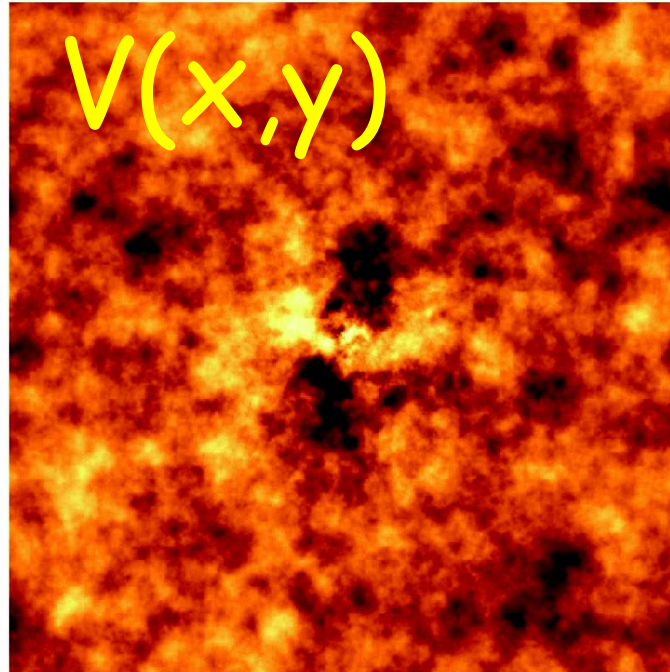
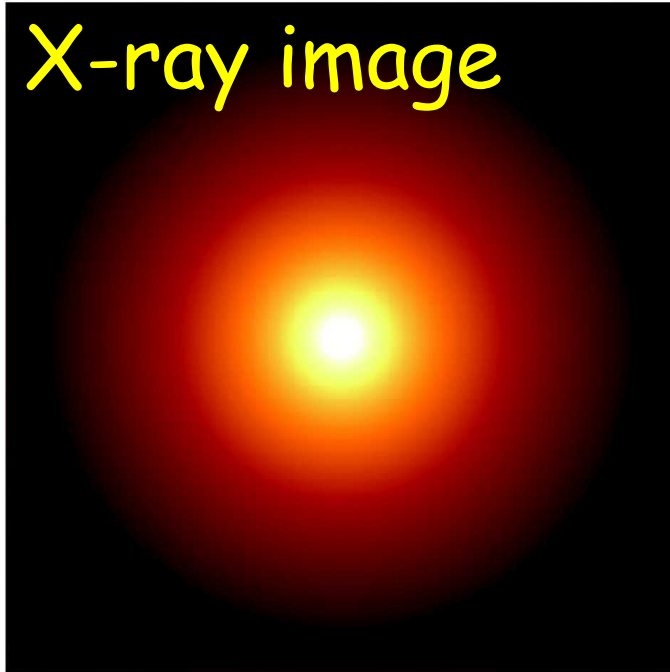
simulations: NGC 5813 1 Ms obs.

Direct measurements: future prospects

emissivity

centroid shift

line width



Emissivity-weighted V and σ

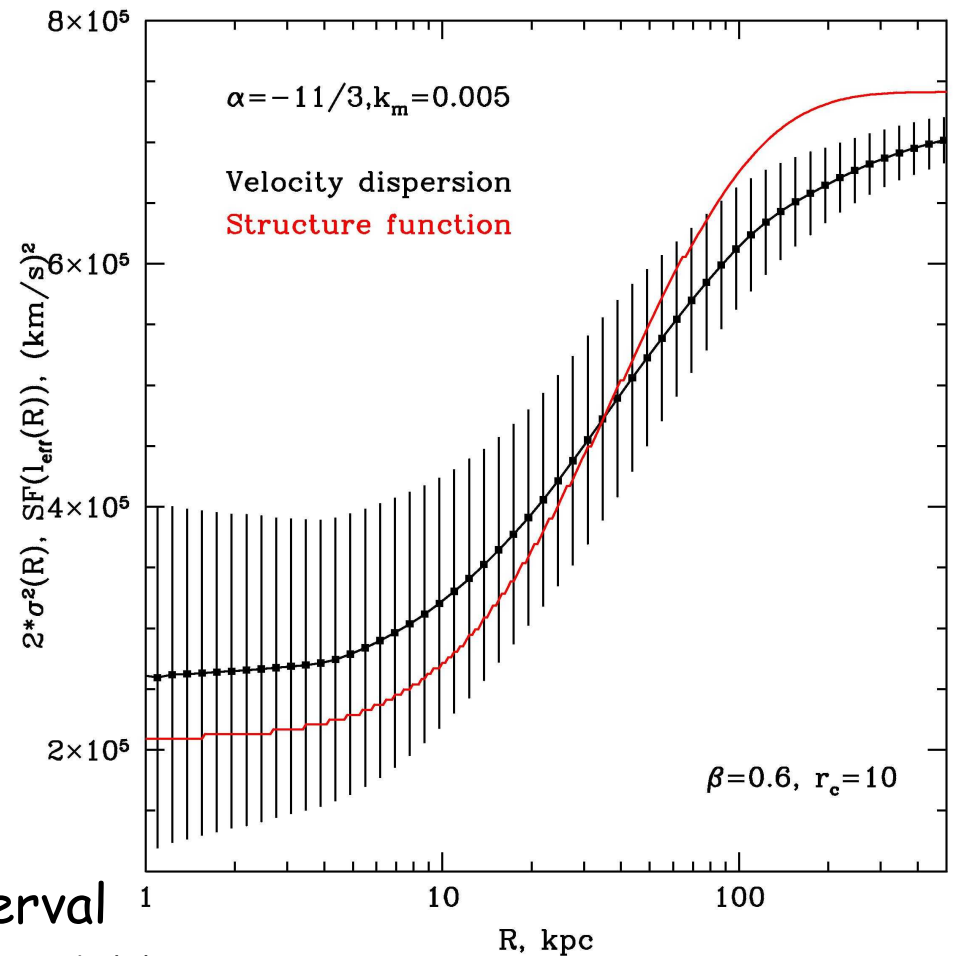
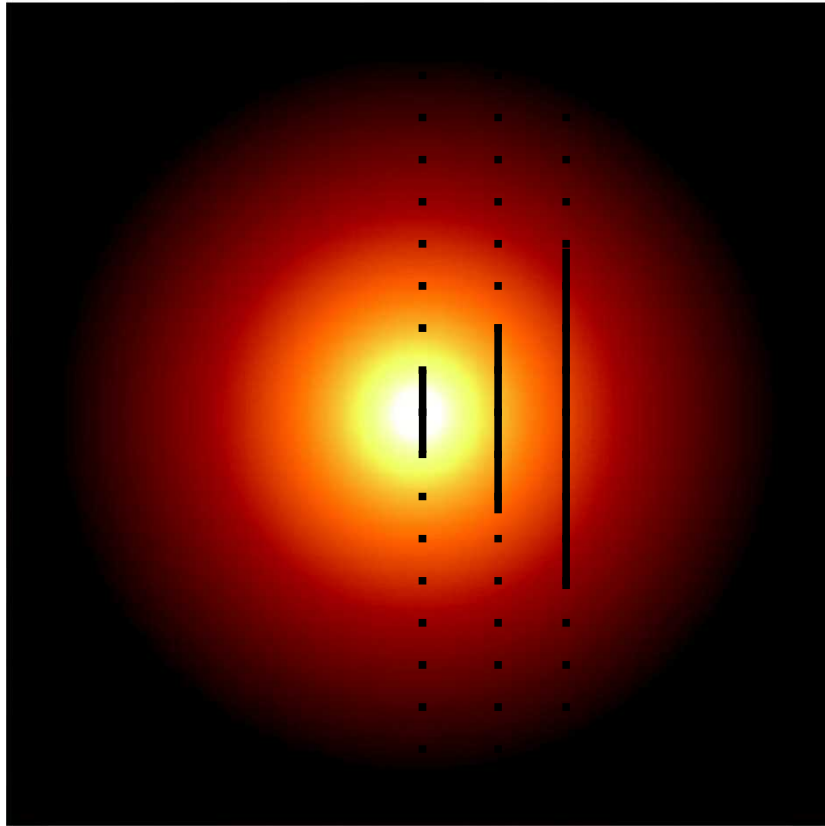
$\sigma(R)$ → structure function of turbulence

$RMS(V)/\sigma$ → correlation length of velocity field

IZ+11b, submitted

Observed σ and structure function

$$SF(\Delta r) = \langle [V(r) - V(r + \Delta r)]^2 \rangle$$



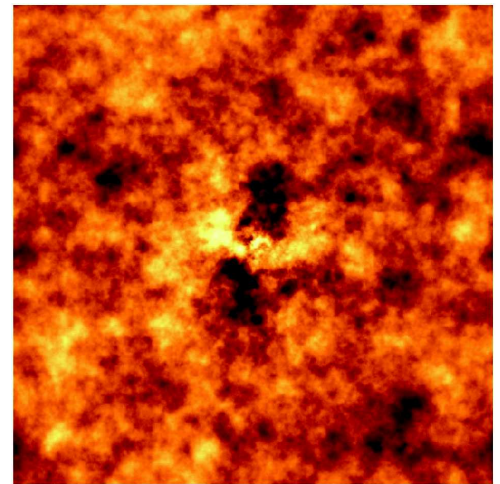
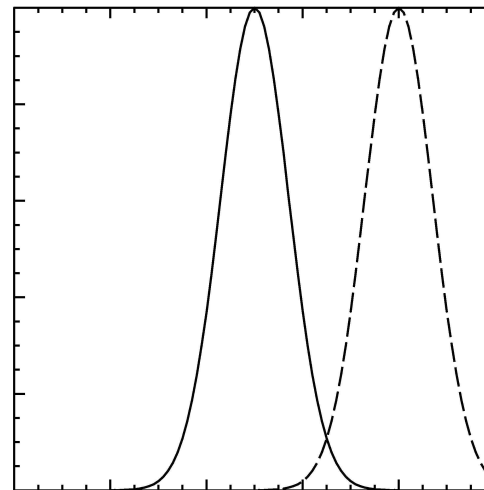
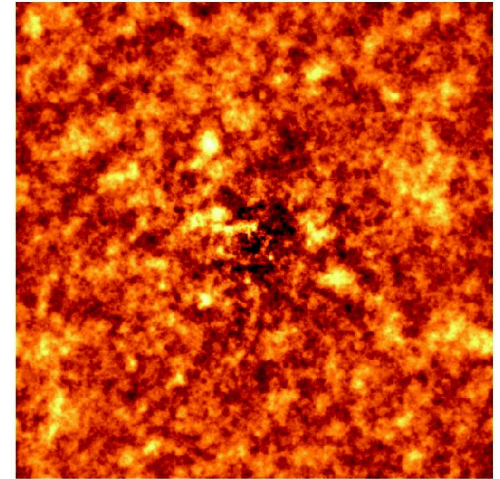
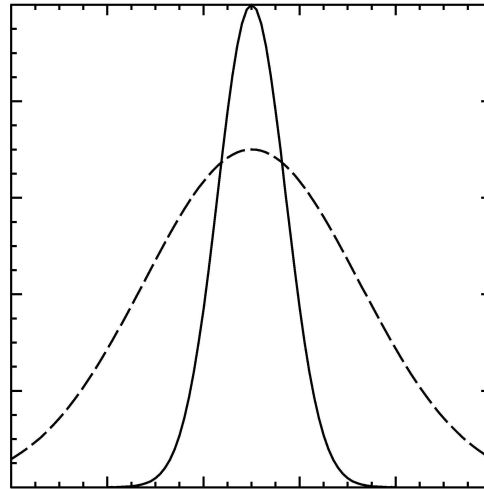
At a given projected distance R an interval $l_{\text{eff}} \sim R$ contributes to the line flux (and width)

Observed $\sigma(R) \approx$ structure function (l_{eff})

IZ+11b, submitted

RMS(V) and correlation length

V_{3D} → $L < L_{eff} : \sigma$
 V_{3D} → $L > L_{eff} : V_{2D}$



Energy

RMS(V)/ σ — proxy of correlation length

Conclusions

How to constrain properties of the ICM velocity field?

NOW

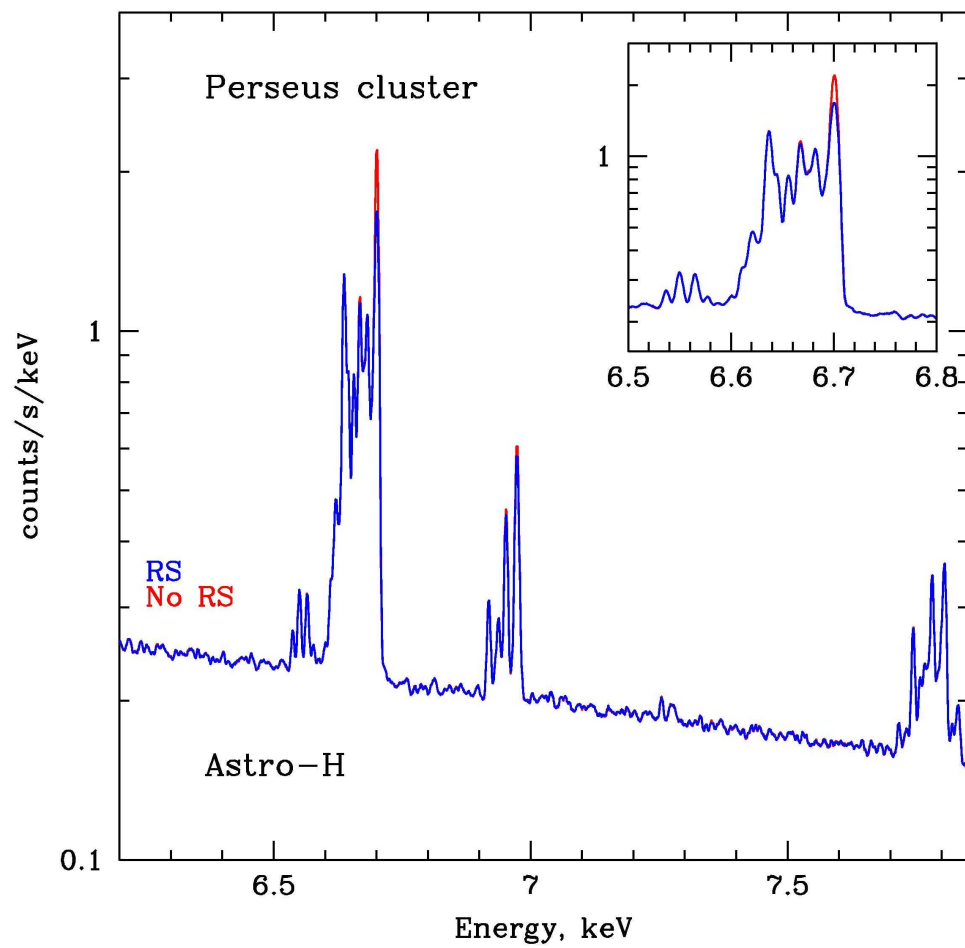
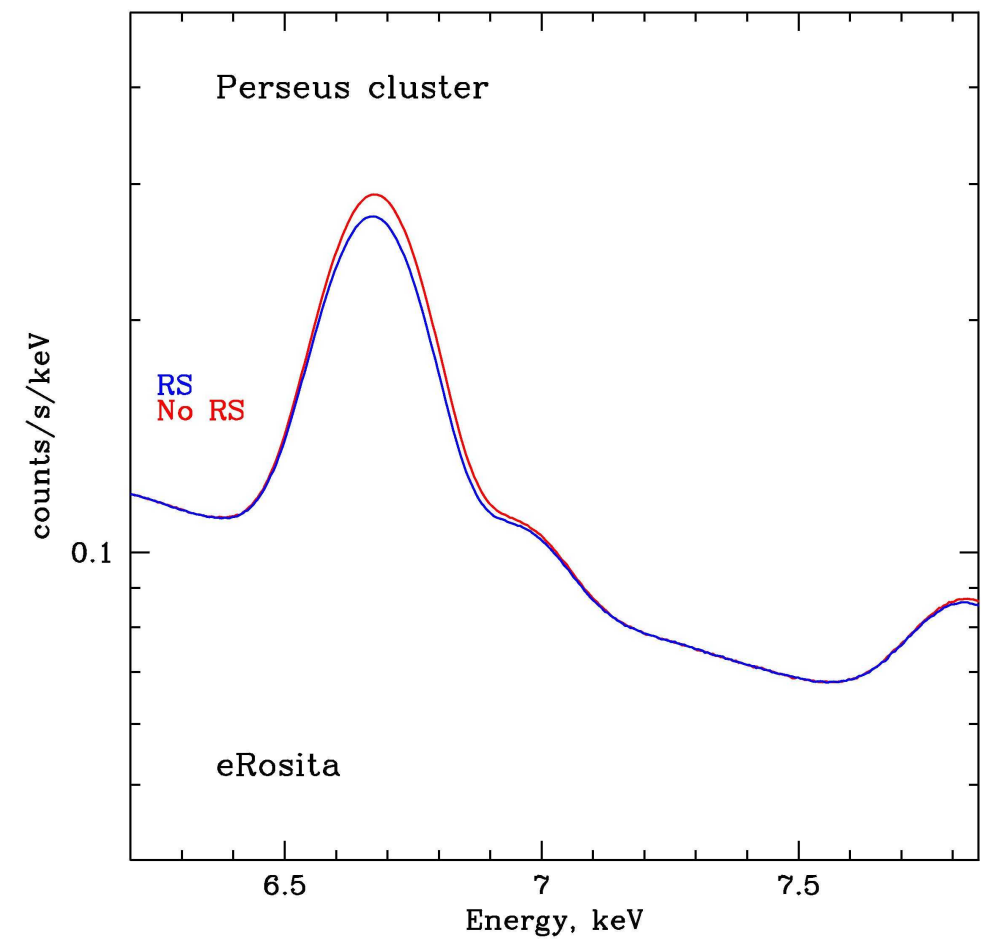
- Grating + RS → lower limits on amplitudes
- Grating + line width → upper limits on amplitudes

SOON

- eROSITA + RS → constraints from CCD
- Astro-H + line width and centroid shift + RS → amplitudes, anisotropy, spatial scales, 3D velocity power spectrum

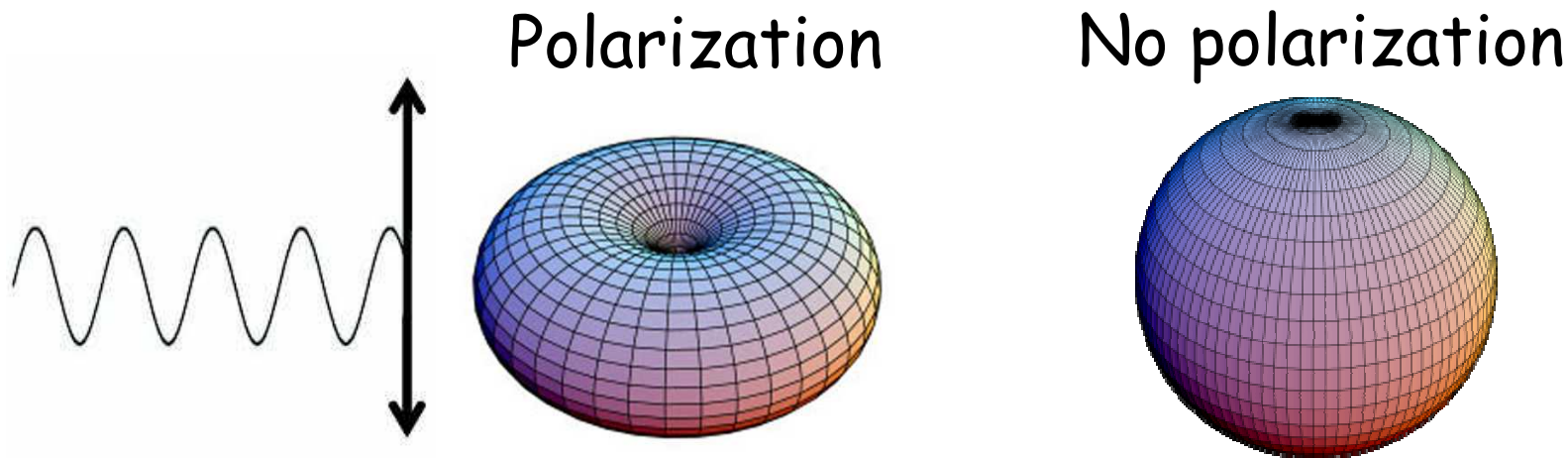
FUTURE

- ATHENA + line width and centroid shift + RS → amplitudes, anisotropy, spatial scales, 3D velocity power spectrum
- X-ray polarimeters → transverse gas motions



RS: polarization in strong lines

Scattering phase function=
Rayleigh + Isotropic



Non zero weight of Rayleigh weight

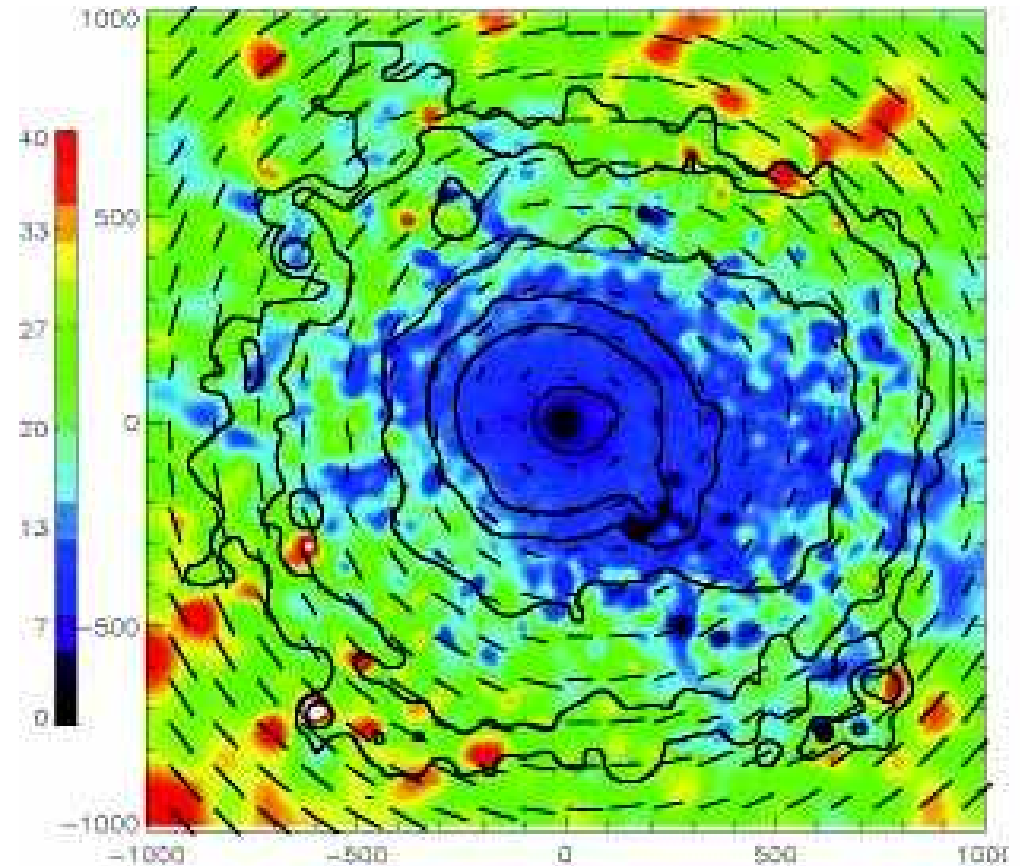
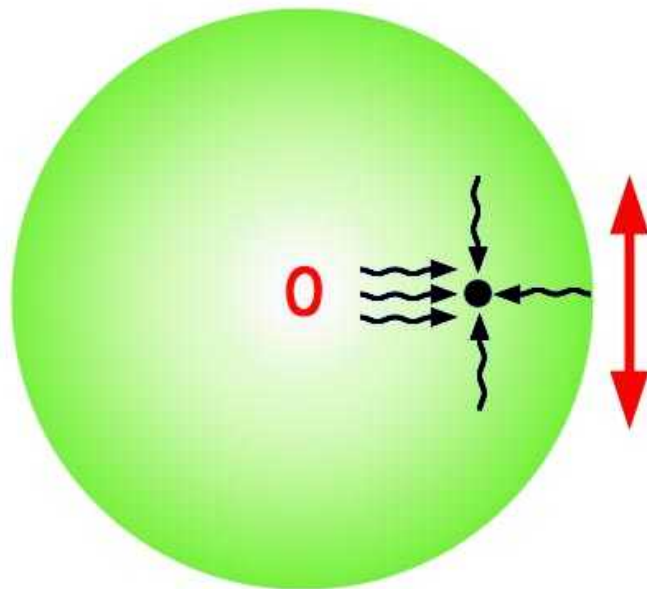
(Chandrasekhar 1950, Hamilton 1947)

He-like ions: $1s^2 (^1S_0) - 1s2p (^1P_1) \Rightarrow W_R = 1$
(e.g. 6.7 keV line)

RS: polarization in strong lines

Rayleigh phase function + quadrupole moment = polarization

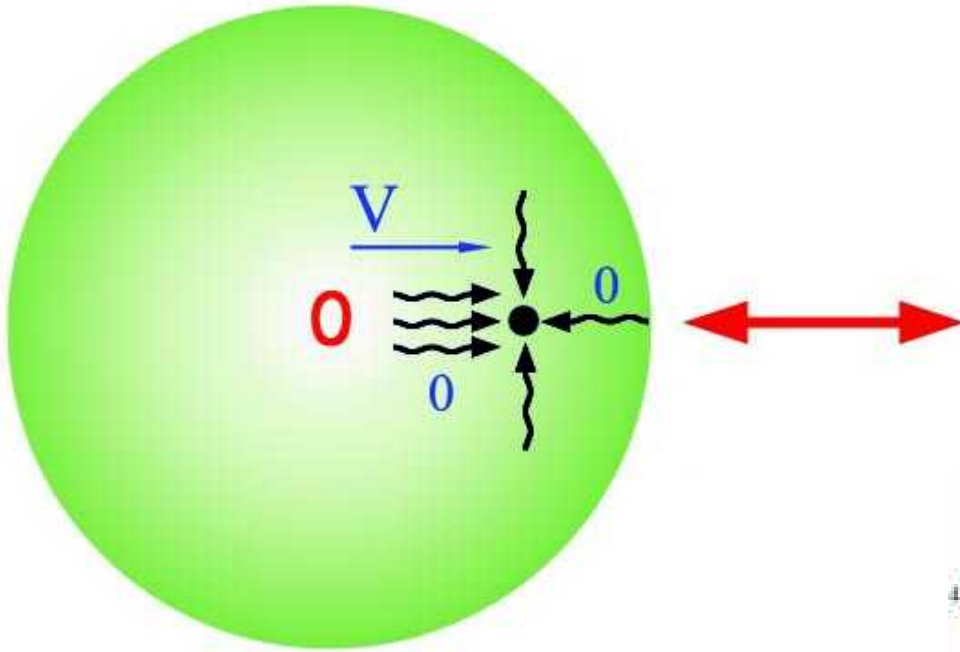
simulated cluster



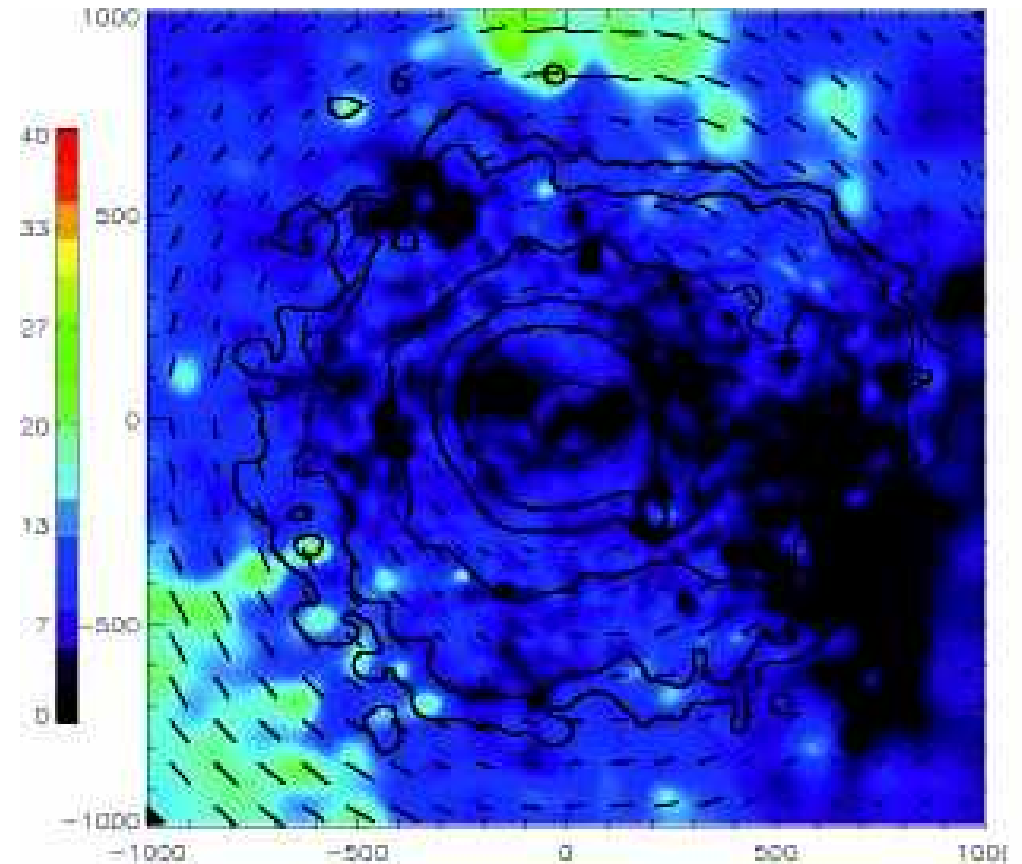
6.7 keV line

$P \sim 25\%$

Polarization: transverse motions



$P \sim 15\%$



RS: optical depths

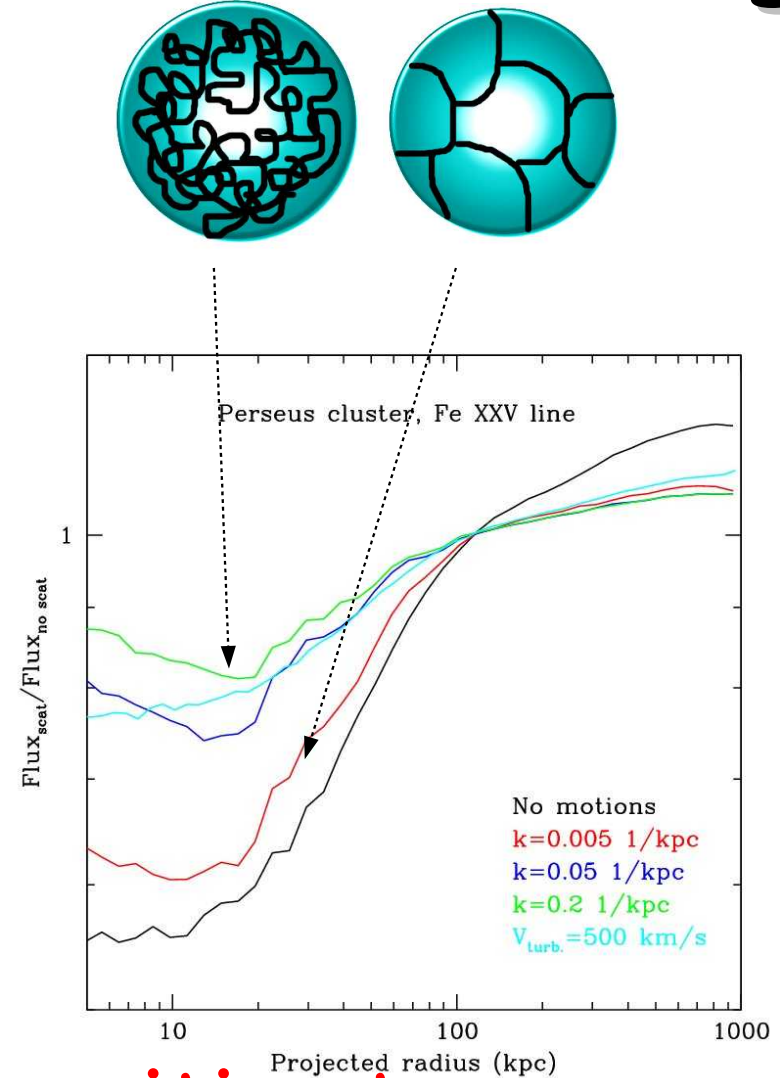
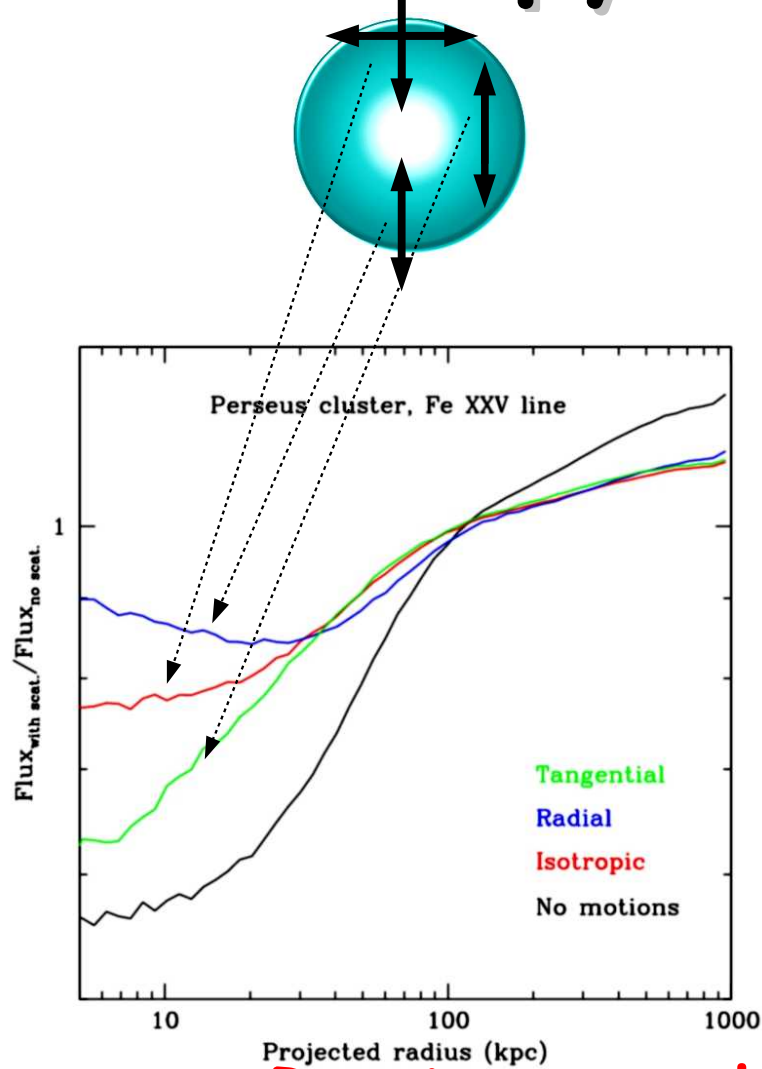
Ion	E , keV	f	τ , NGC 4636	τ , Virgo/M87	τ , Perseus
O VIII	0.65	0.28	1.2	0.34	0.19
Fe XVII	0.83	2.73	8.8	0.0005	$2.8 \cdot 10^{-8}$
Fe XVIII	0.87	0.57	1.3	0.0007	$1.5 \cdot 10^{-7}$
Fe XXIII	1.129	0.43	0.016	1.03	0.16
Fe XXIV	1.168	0.245	0.002	1.12	0.73
Fe XXV	6.7	0.78	0.0002	1.44	2.77

$$RS \propto \tau \propto \frac{1}{\Delta E_D} \propto \frac{1}{(V_{\text{therm}}^2 + V_{\text{turb}}^2)^{1/2}}$$

Sensitive to velocity of gas motions

RS can be used as a diagnostic of turbulence in the ICM

RS: anisotropy + correlation length



RS is mostly sensitive to:

- radial motions
- small scale motions

Direct/Indirect measurements

	XMM-Newton	Chandra	Astro-H (2014)
Width and shift of lines	Weak upper limits on amplitudes (Sanders+11)	-	Amplitudes, spatial scales (Zhuravleva+11b)
Resonant Scattering	Upper limits on amplitude (e.g. Werner+09, Churazov+04) talk by Jelle de Plaa		Amplitudes, spatial scales, anisotropy (Zhuravleva+11a)
Pressure fluctuations	Spatial scales (Schuecker+04)	-	-
SB fluctuations	Spatial scales talk by E. Churazov		-
Diffusion of heavy elements	Amplitudes, spatial scales Rebusco+06		-

+ X-ray polarization: transverse gas motions (Zhuravleva+10)

+ Kinetic SZ: amplitudes

Resonant Scattering: spatial scales and anisotropy

Perseus, $r < 10$ kpc

Isotropic: $V = 500$ km/s

Radial: $V = 200$ km/s

Tangential: $V = 1500$ km/s

Perseus, $r < 30$ kpc

Isotropic: $V = 500$ km/s

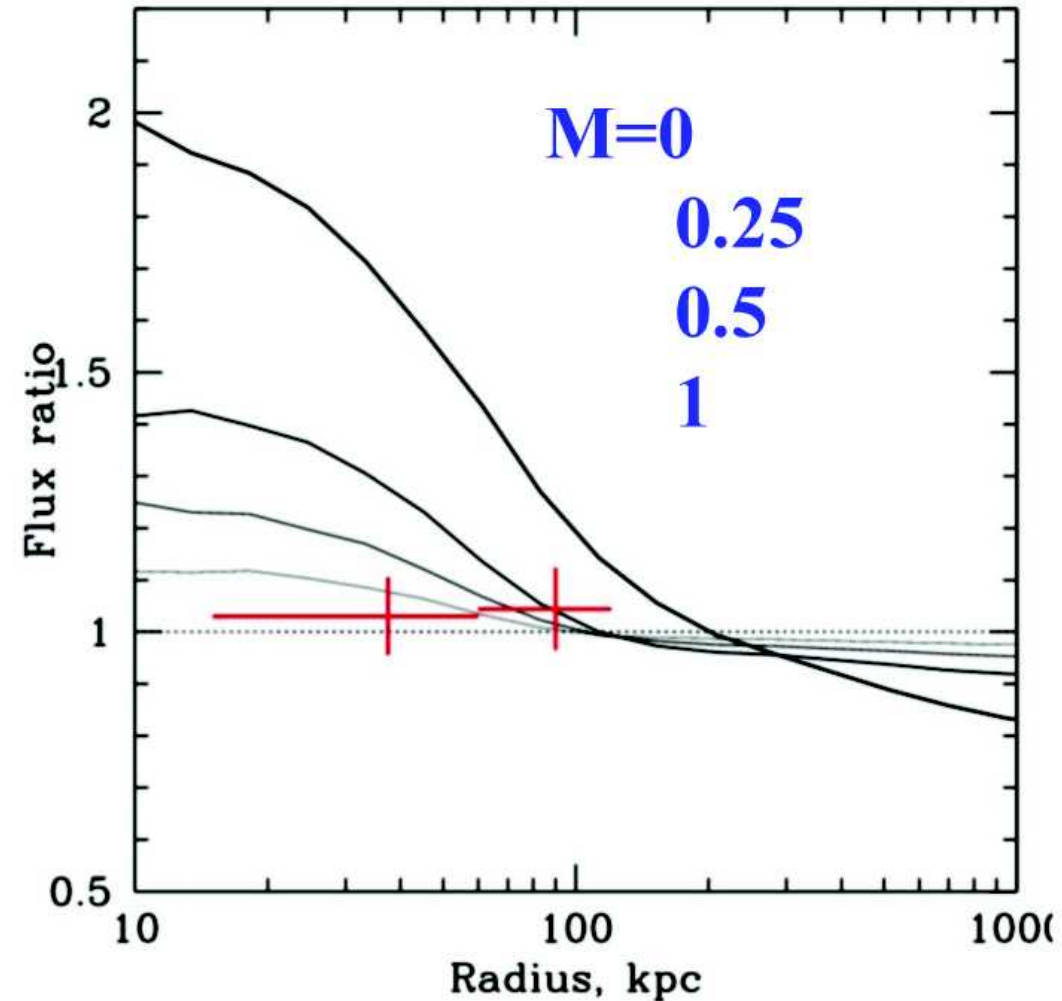
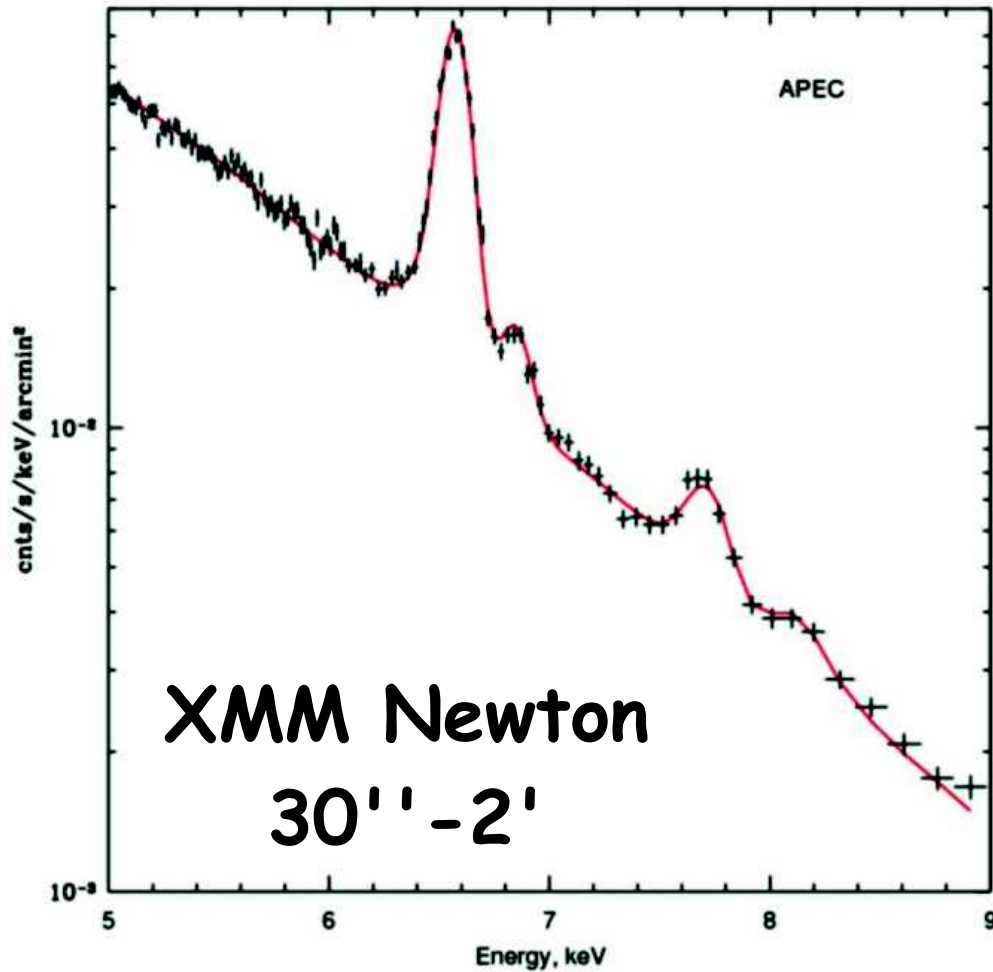
Radial: $V = 300$ km/s

Tangential: $V = 1200$ km/s

Resonant scattering: Perseus

He-like Fe 6.7 keV line,
optical depth ~ 3

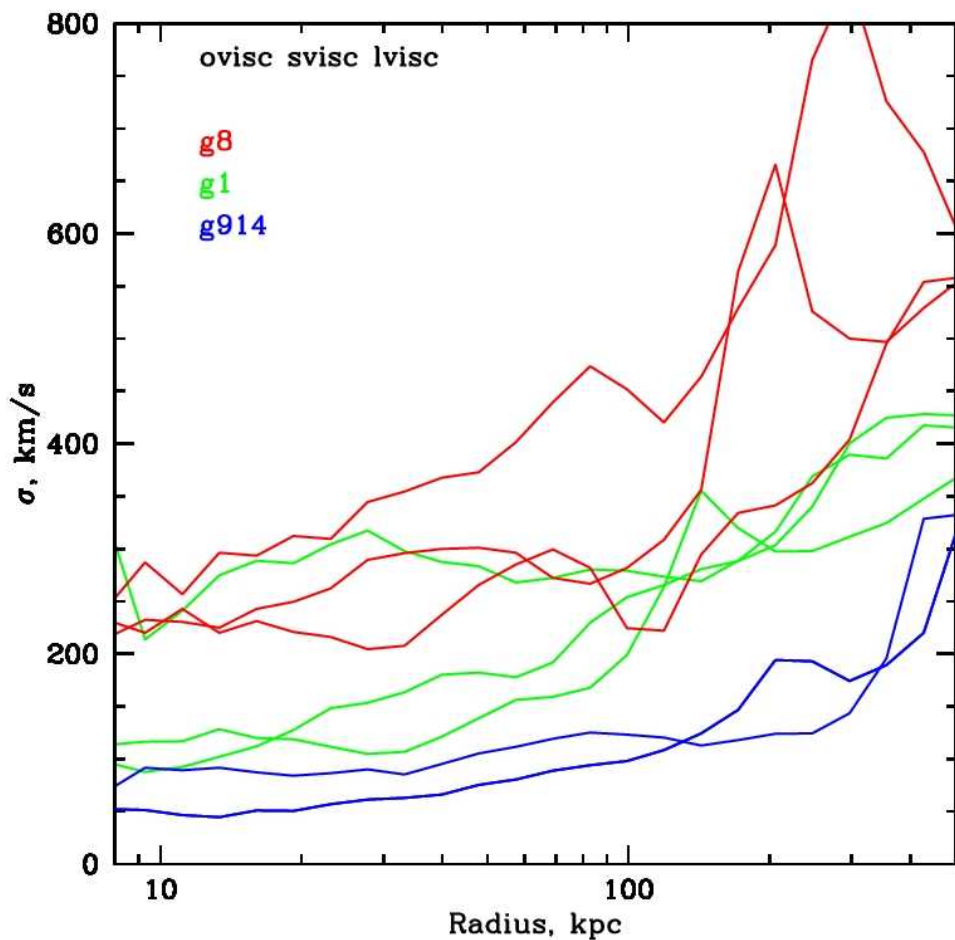
$$F_{\text{Ni}}/F_{\text{Fe}}$$



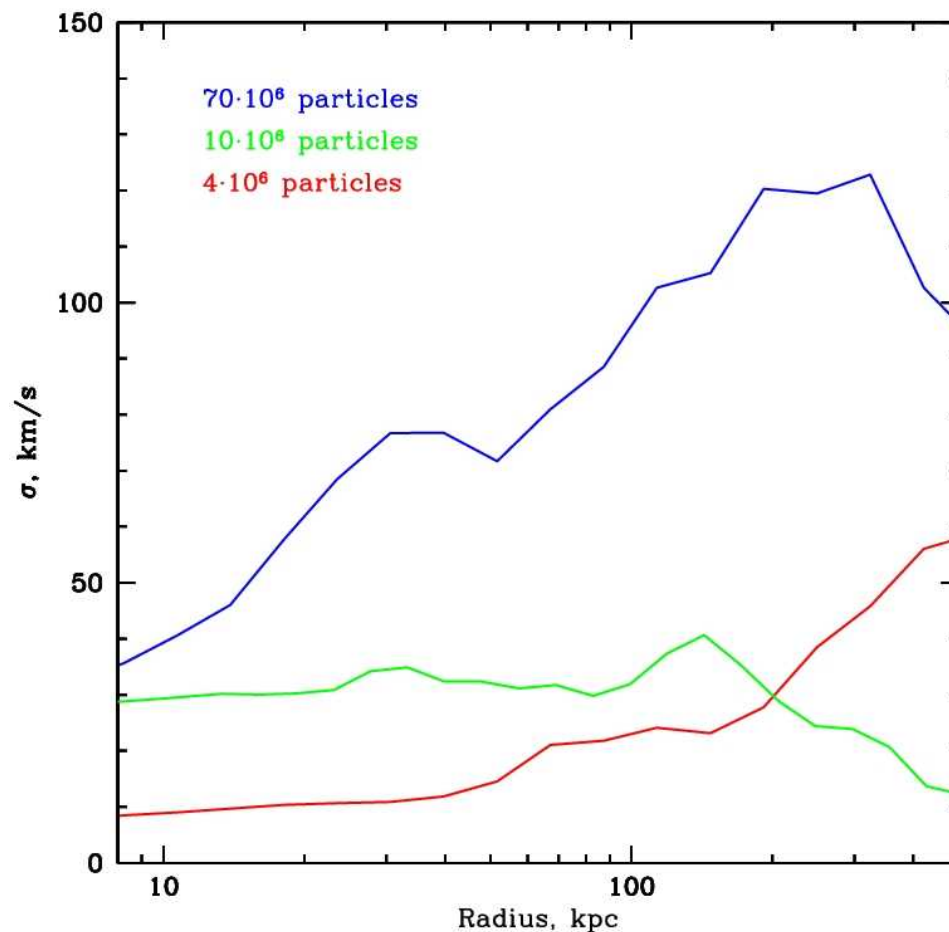
6.7 keV line is not suppressed $\rightarrow V > 400$ km/s
Churazov et al. 2004

Velocity field in SPH simulations: main problems

Numerical viscosity

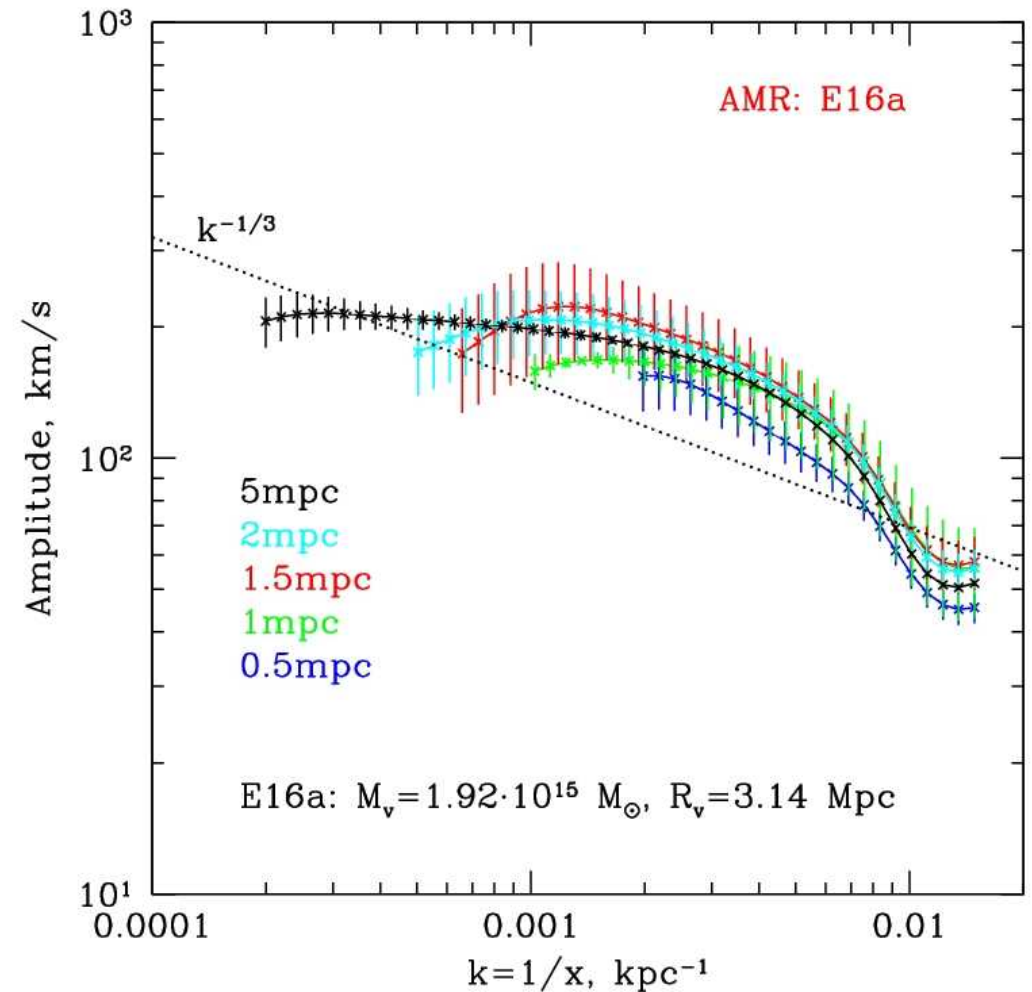
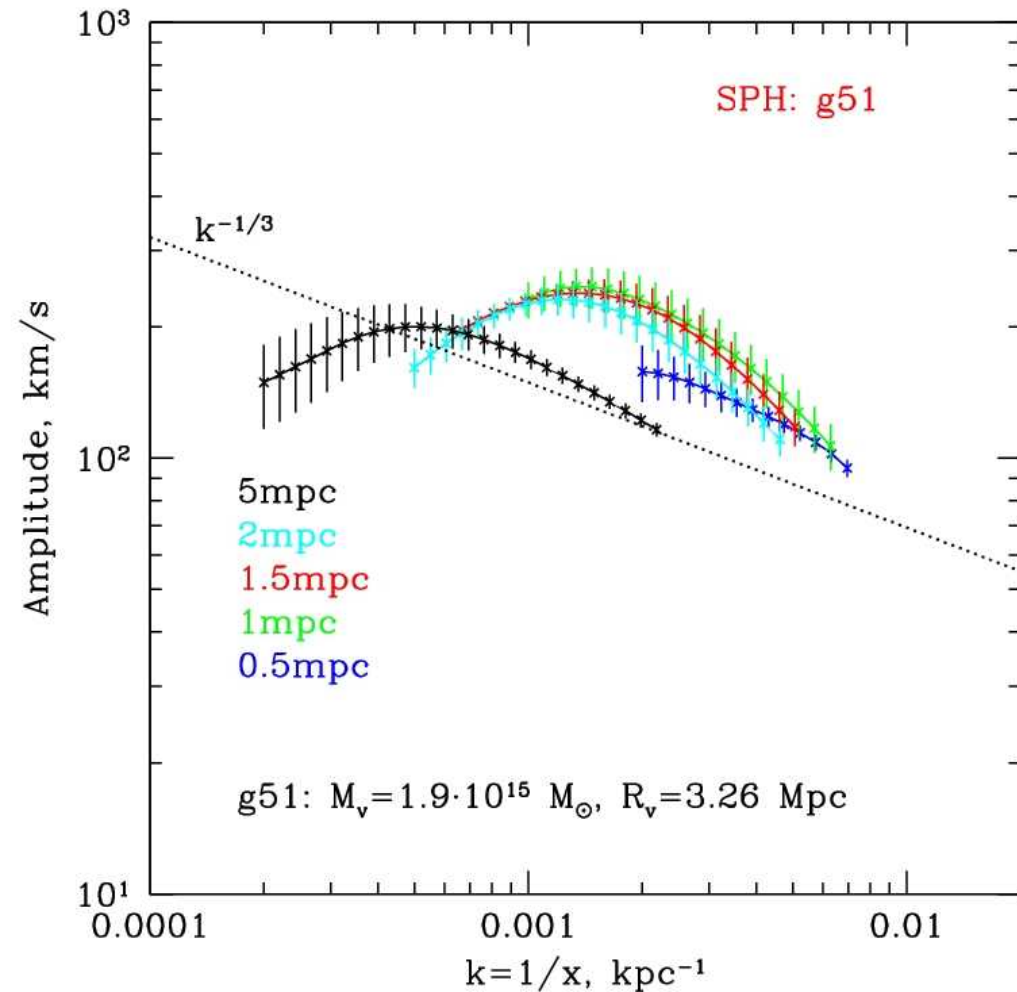


Resolution



Simulations by Dolag et al. 2005

3D velocity power spectrum

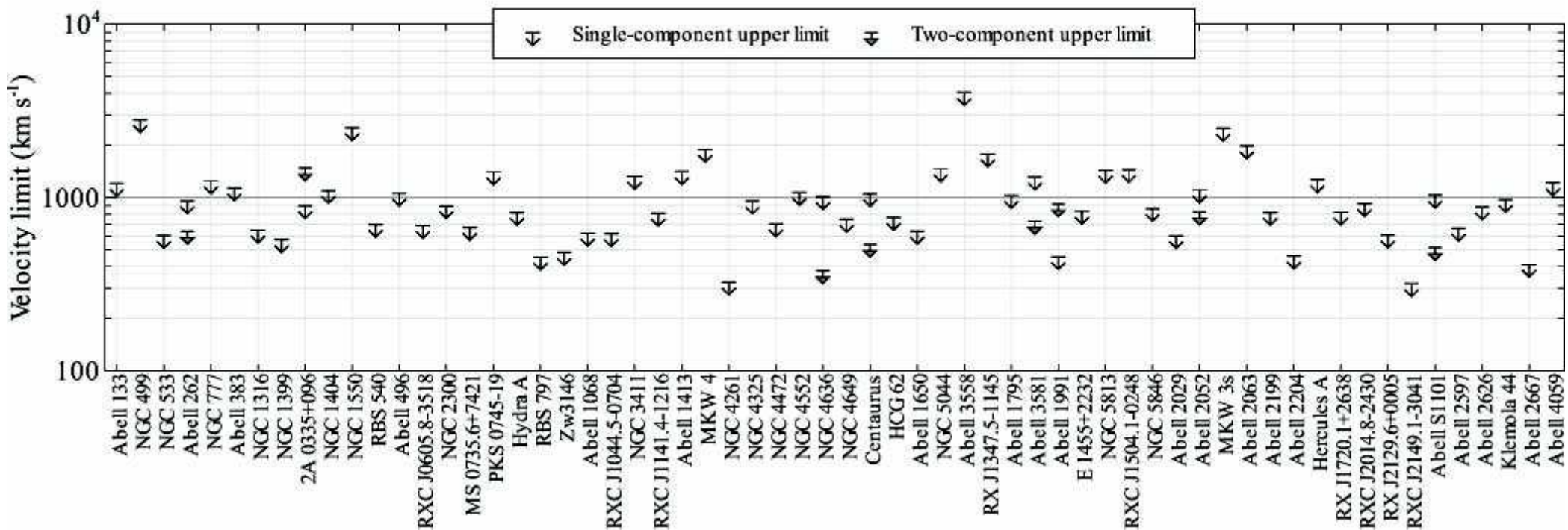


Deviations from Kolmogorov PS
Dependence on considered volume
SPH and AMR show similar behaviour

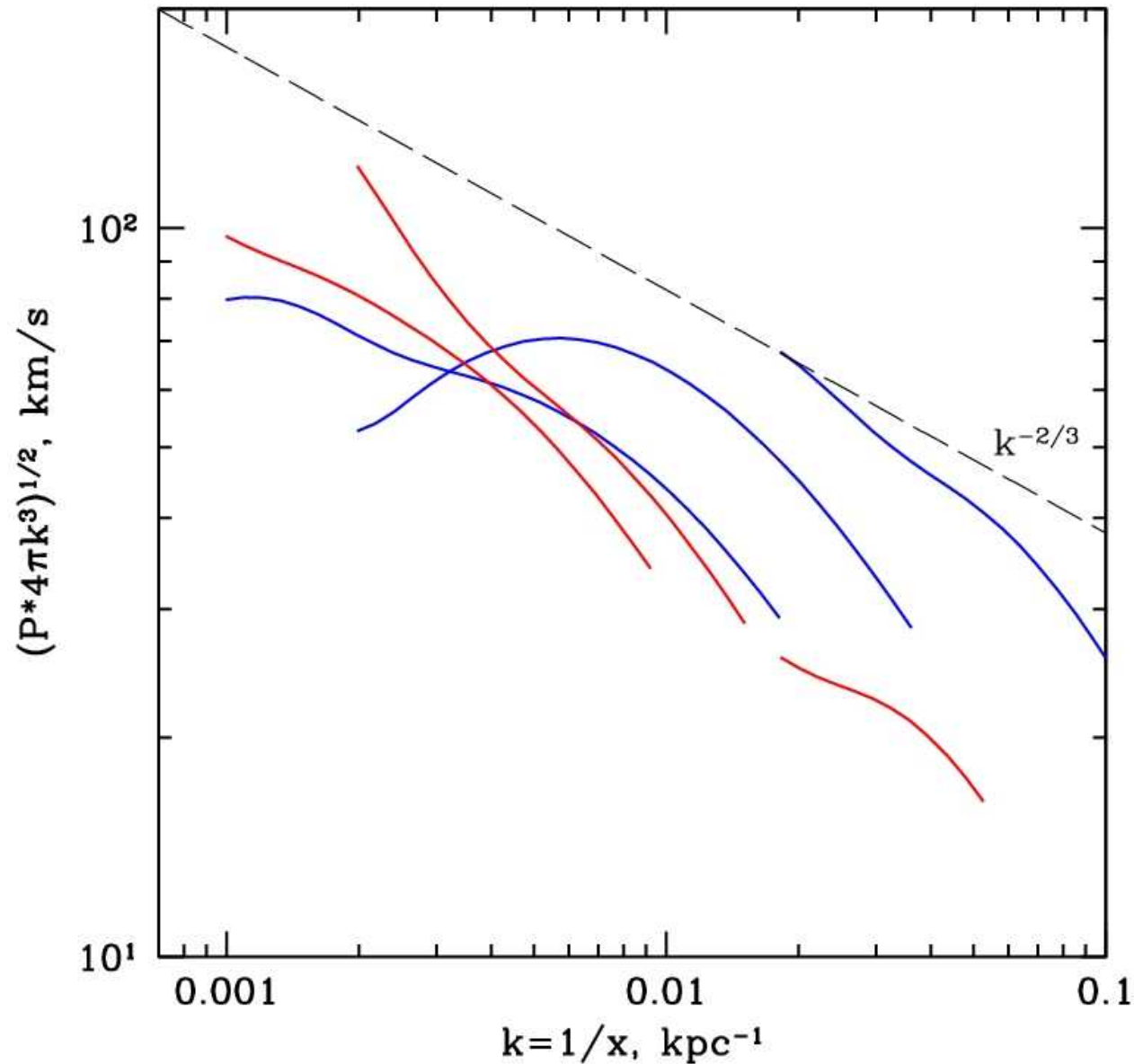
Gas motions: observations

Broadening and shift of line:
amplitude, dispersion

RGS XMM Newton : upper limits on V
(Sanders et al. 2010)



3D velocity power spectrum: resolution of simulations



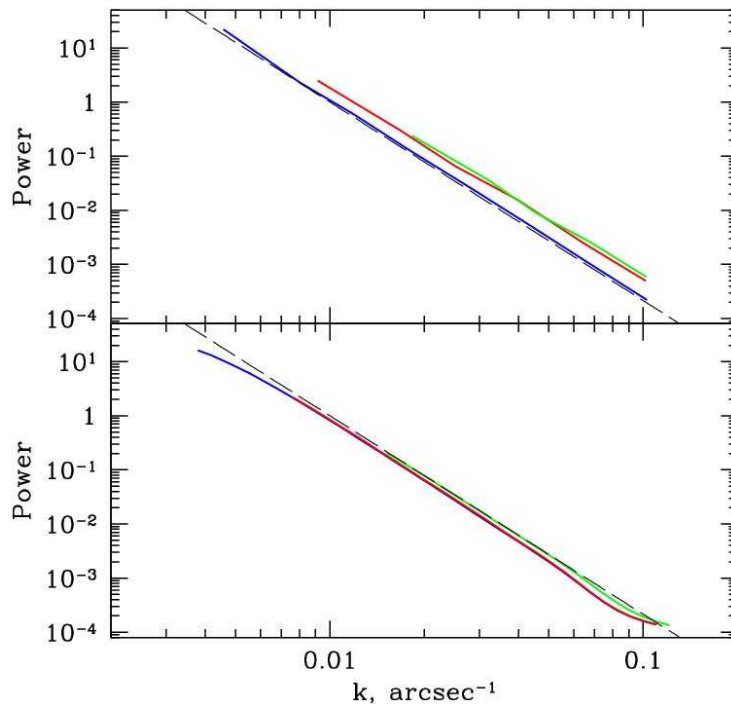
A Mexican Hat with holes:

a method to calculate low resolution PS from data
with gaps

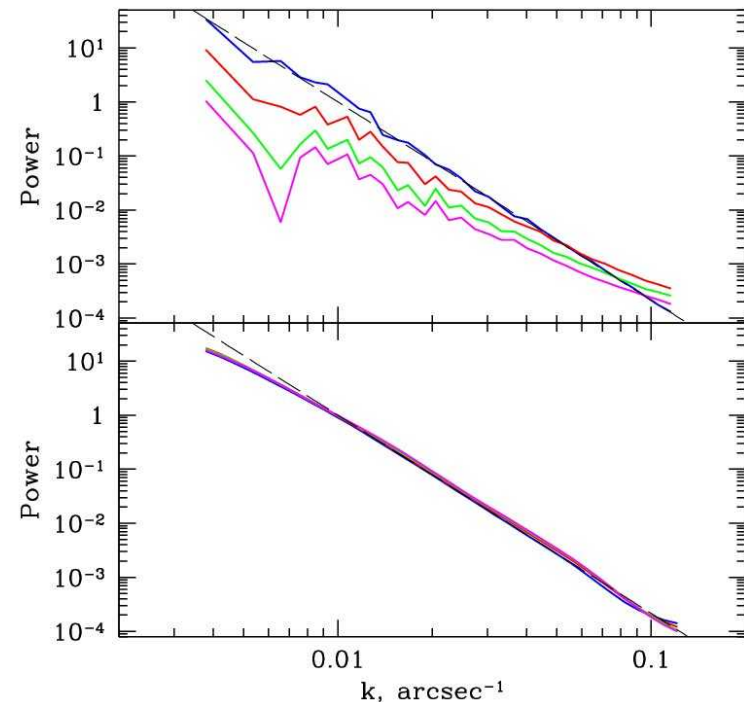
Arevalo et al. 2010 in prep.

$$i) I_c(k) = \frac{G_{\sigma 1} * I}{G_{\sigma 1} * M} - \frac{G_{\sigma 2} * I}{G_{\sigma 2} * M}$$

ii) variance of $I_c(k)$



trimming of boxes



data with gaps

3D velocity power spectrum

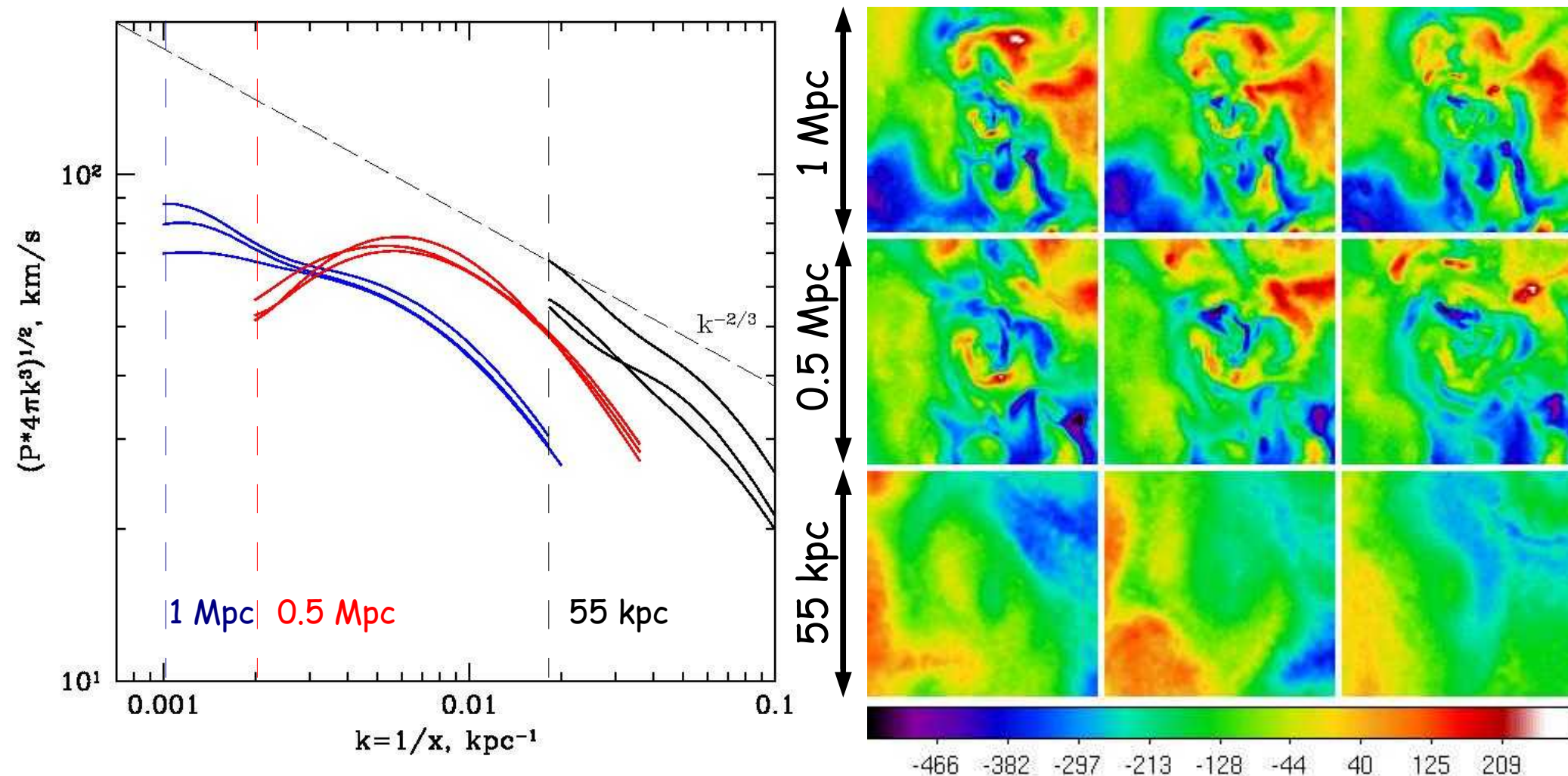
SPH simulations by K. Dolag (Dolag et al. 2005), $\sim 70 \cdot 10^6$ particles

g676 cluster: $M_{\text{vir}} = 1.6 \cdot 10^{14} M_{\text{sun}}$, $R_{\text{vir}} = 1.43 \text{ Mpc}$

$z = 0.02$

$z = 0.01$

$z = 3 \cdot 10^{-5}$



Does PS depend on considered volume of cluster?