

Constraints on Inflationary Physics and Dark Energy with eROSITA

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What can you do with eROSITA clusters?

There are so many ways to do cosmology with clusters that we are spoilt with choice :

Cluster counts

2D / 3D $P(k)$

BAO bumps

Evolution of cluster scaling reln

Mass/Luminosity function

Cluster gas fraction,

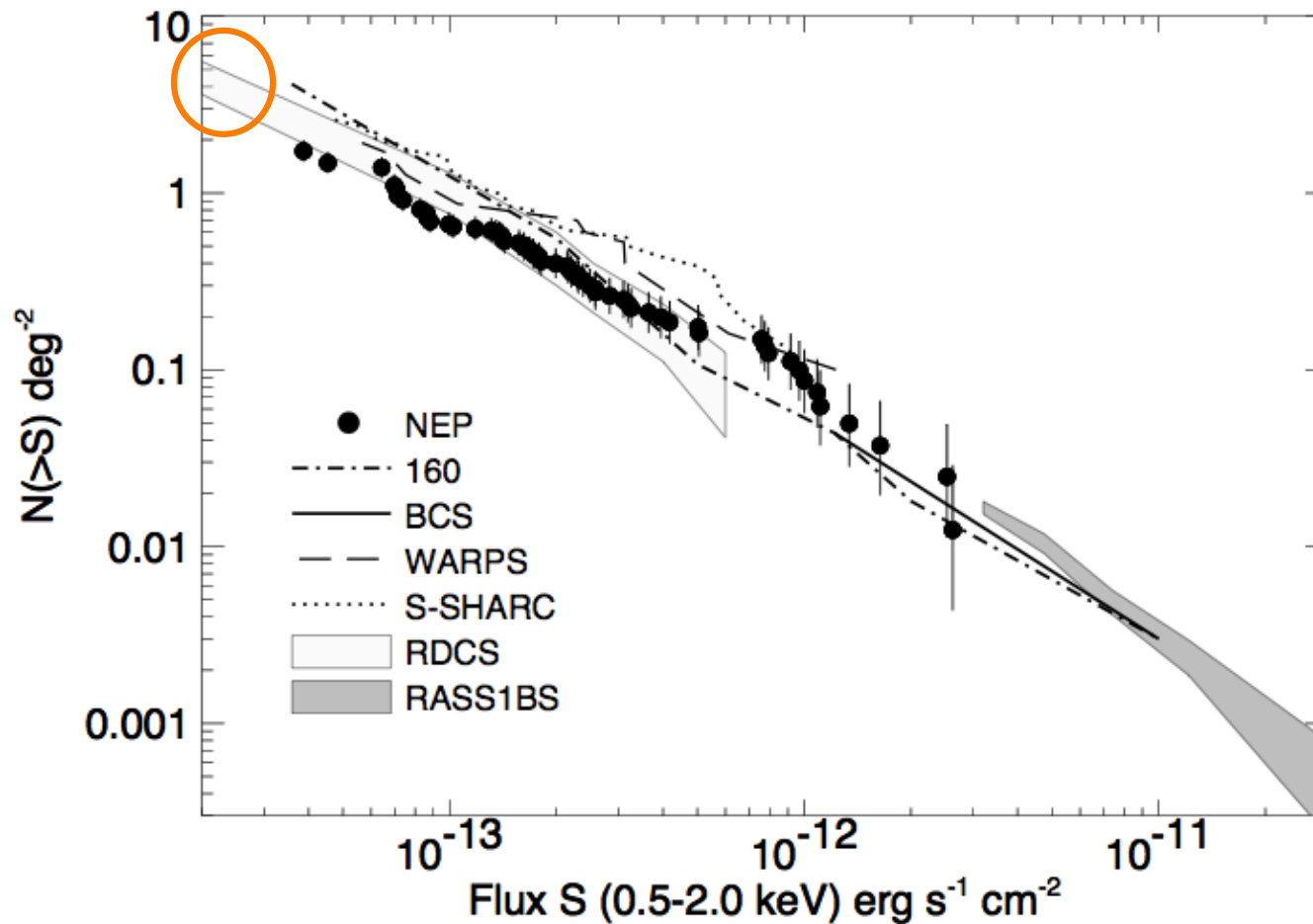
dA(z) from combining Xray & SZ

Each will have its own systematics. But, adding and comparing different approach gives us handle on systematics.

Also, one can simulate them with better and better details. More realistic simulations using Xray data reduction/analysis pipeline (Gus's talk)

What will be the eROSITA yield?

The answer depends on our knowledge of the cluster X-ray flux - mass relation and its evolution. Prediction for eROSITA cluster numbers and especially cluster redshift distribution will be model dependent. However, the number will still be large:

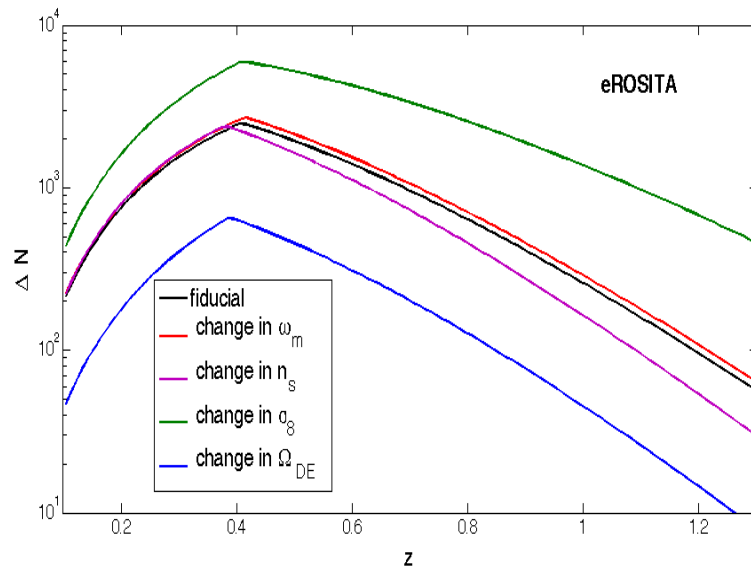


Clusters :
 $6e4 < N < 1.2e5$

Gioia et al 2001

Ingredients 1 - Number Counts and $P(k)$

The same data (position, redshift) used for dn/dz gives $P(k)$ - no extra obs needed

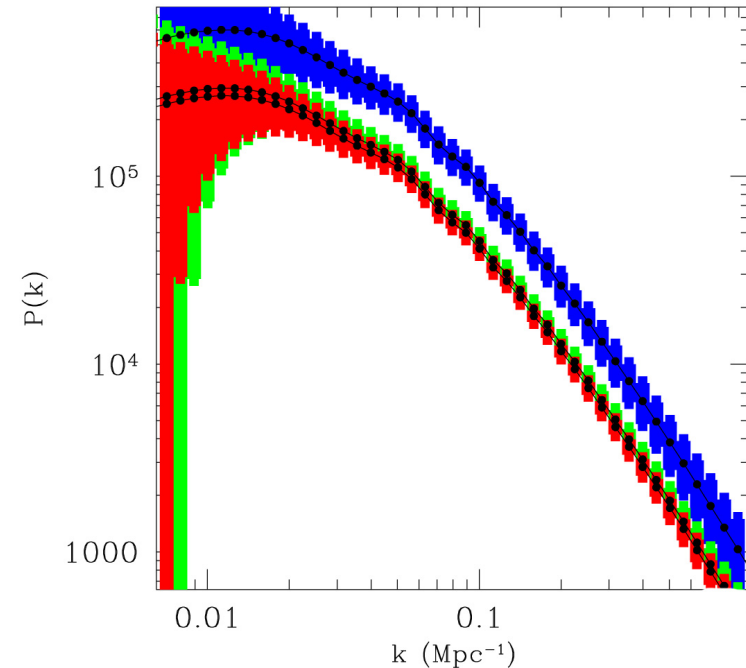


Number Counts vs redshift
(depends on cosmology)

$N = 105,000$, 100 photons limit
(details in Han's talk in the morning)

Scaling from Chandra data

Evolution not self-similar (Vikhlinin 2009, Han's talk)



Average $P(k)$ in thick z -bins

Clusters are highly biased ;
 $1e4$ cluster $\sim 1-2e5$ galaxies

Ingredients 2 - External Mass Calibration

External mass follow-up of a sub-sample is crucial for cluster cosmology.

Masses must be 'un-biased' --- These can come from Y_X , M_{gas} , or T . **Best proxy should have least scatter.**

Of these: M_{gas} can be found Xray flux easily in certain energy range.

It also has the least scatter with total mass (Fabjan 2011, Rasia 2011)

Mass follow-up -- a) fixes the mass-observable scaling reln

b) tests the assumption of form of scaling reln used in self-cal.

For eROSITA, with atleast 20 times more photons counts needed for Xray flux, temperatures can be measure for ~ 1000 clusters (Han's talk, 1000 photons)

We take to follow-up scenarios :

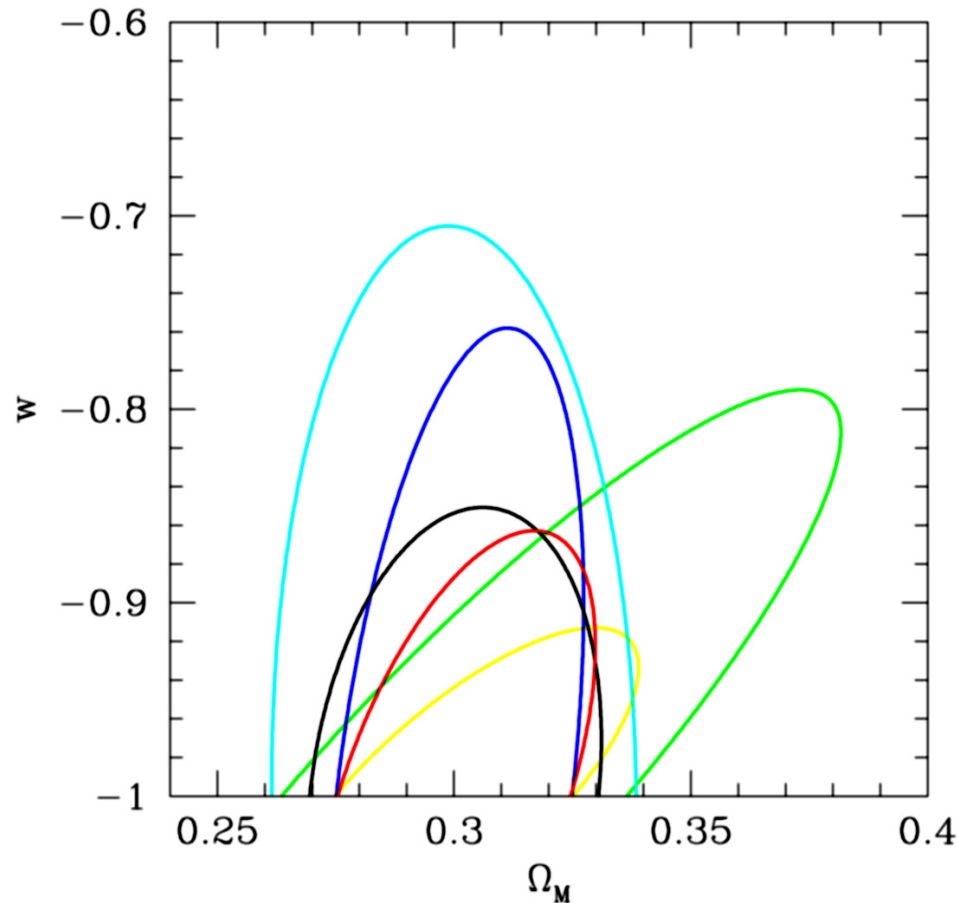
1) 400 clusters with $\Delta M = 15\%$

2) 200 clusters with $\Delta M = 20\%$

(Note - need $\Delta M \sim 5\%$ for 600 clusters, SPT talk by Joe)

'Self-calibration' using P_k (internally calibrate mass)...

(SM & Mohr 2003,2004; Hu 2003, Lima & Hu 2005, Gladders et al 2007)



Example - A wide area survey with many tens of thousands of clusters.

Total Parameters : 11-13

Cosmology : 7 - 9

Cluster : 3-4

(normalization, slope, evolution, scatter)

For self-calibration to be powerful, need P_k to be well determined --- need

- 1) large volume (20000 sq-deg)
- 2) large numbers ($1e5$ clusters)

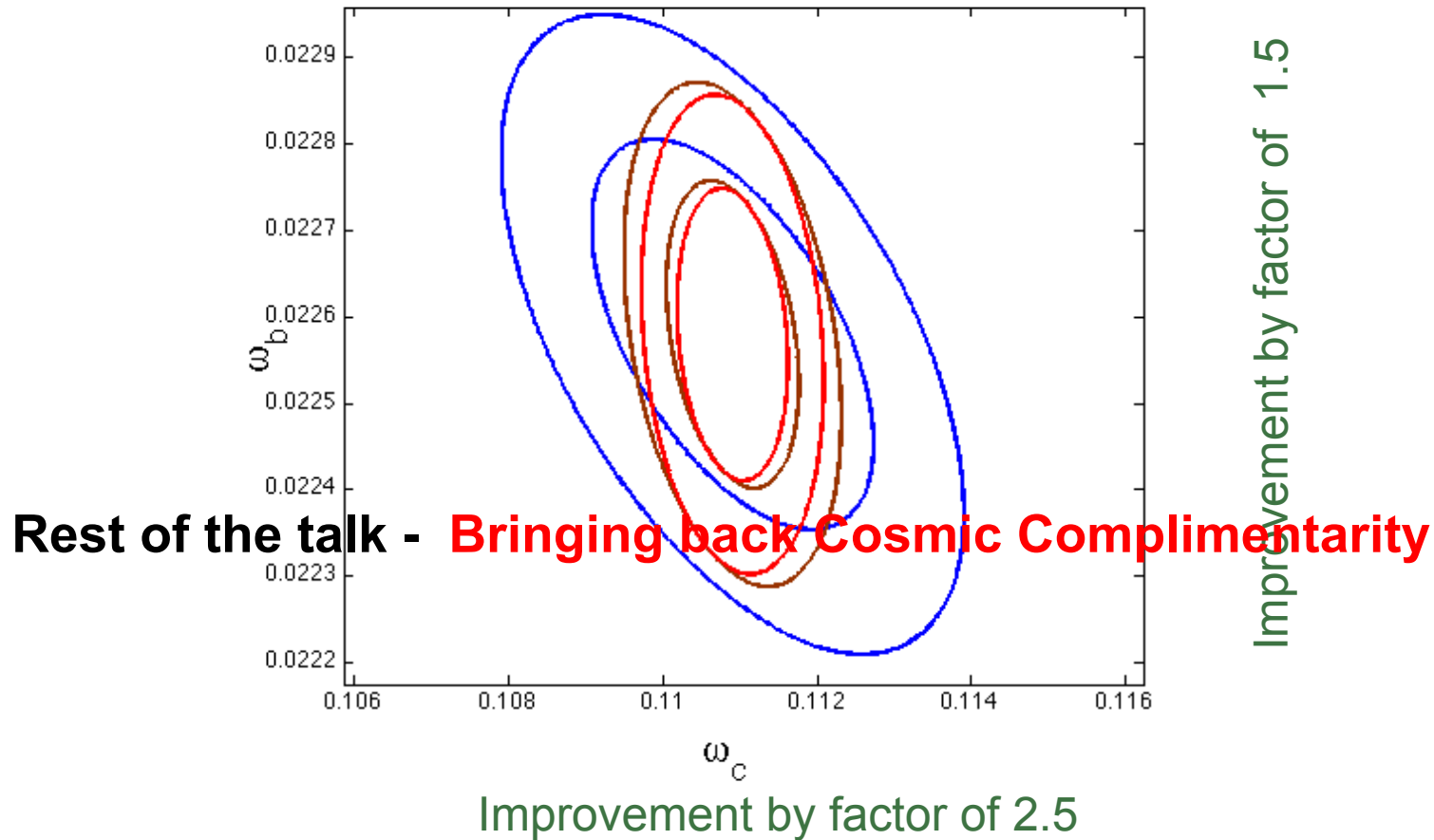
eROSITA has both!

Revival of full power of Self-Calibration

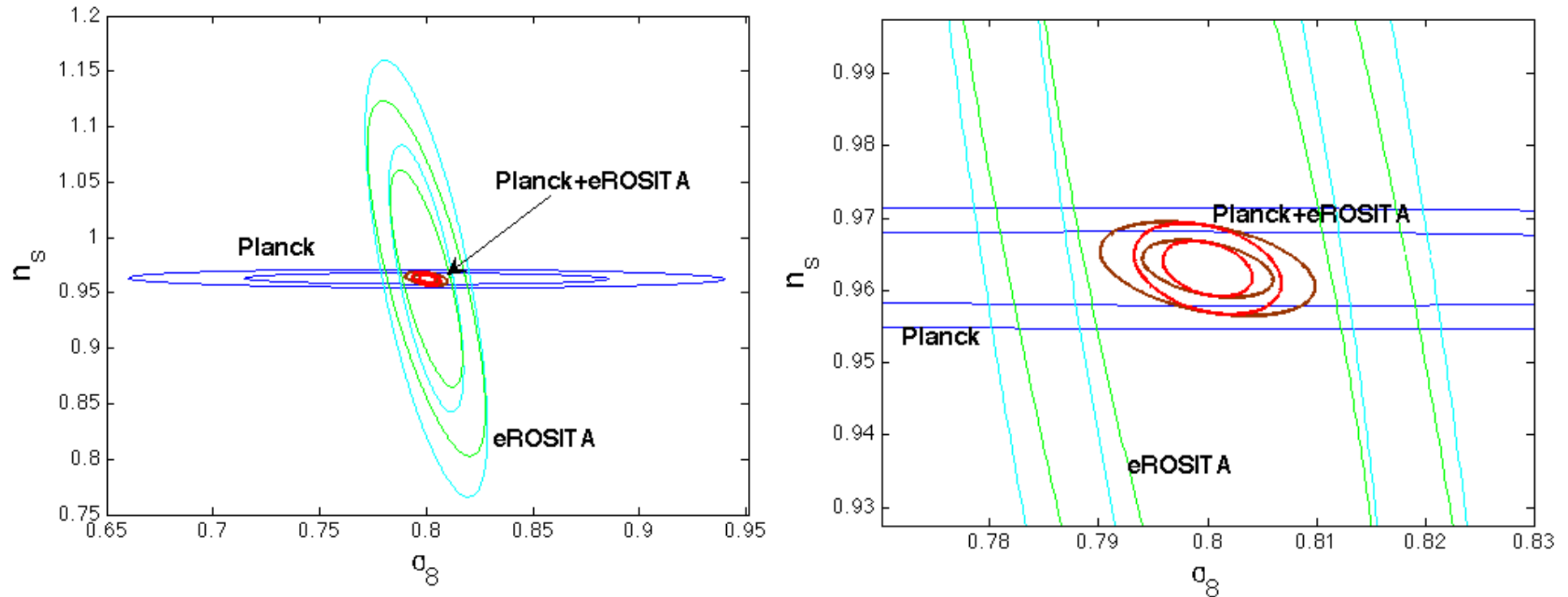
eROSITA helps tighten constraints from Planck...

Planck is the built for precision cosmology and it is hard to compete with its power to constrain cosmological parameters.

Adding eROSITA still helps a lot !

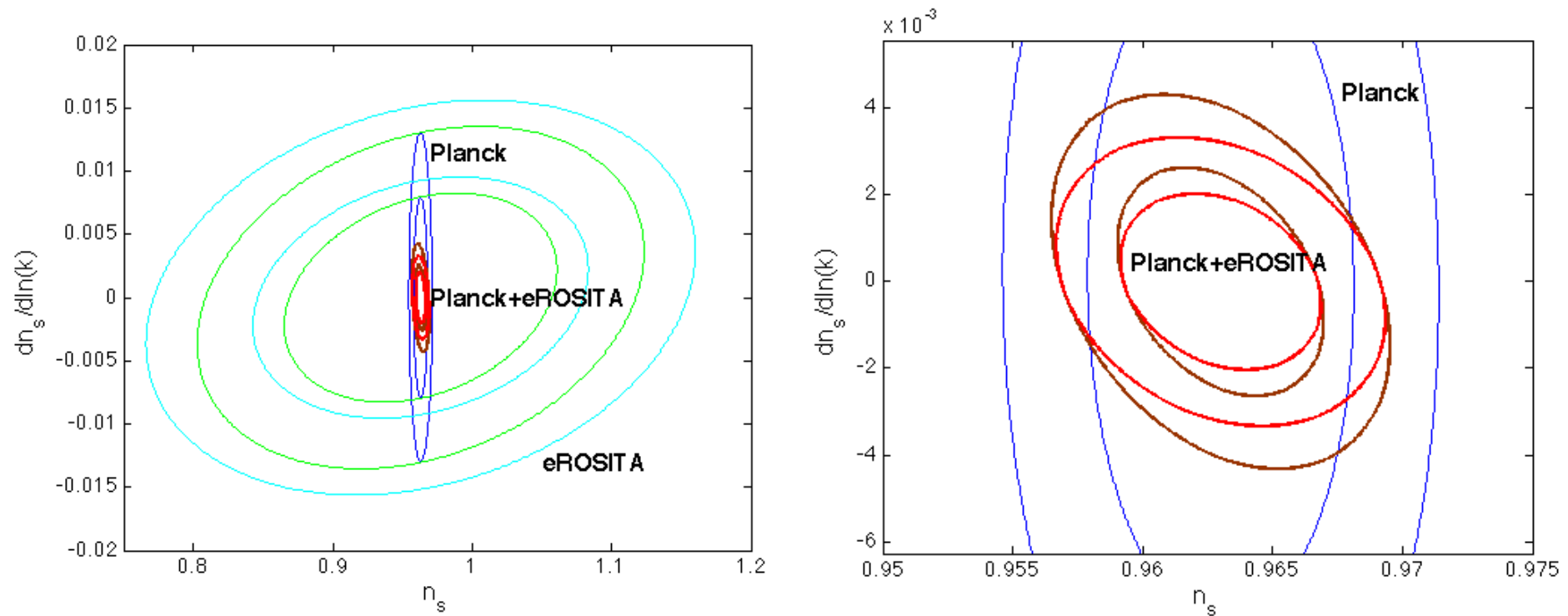


Constraints of parameters linked to Inflation - 1



~ 30% improvement in n_s
~ order of magnitude improvement in σ_8

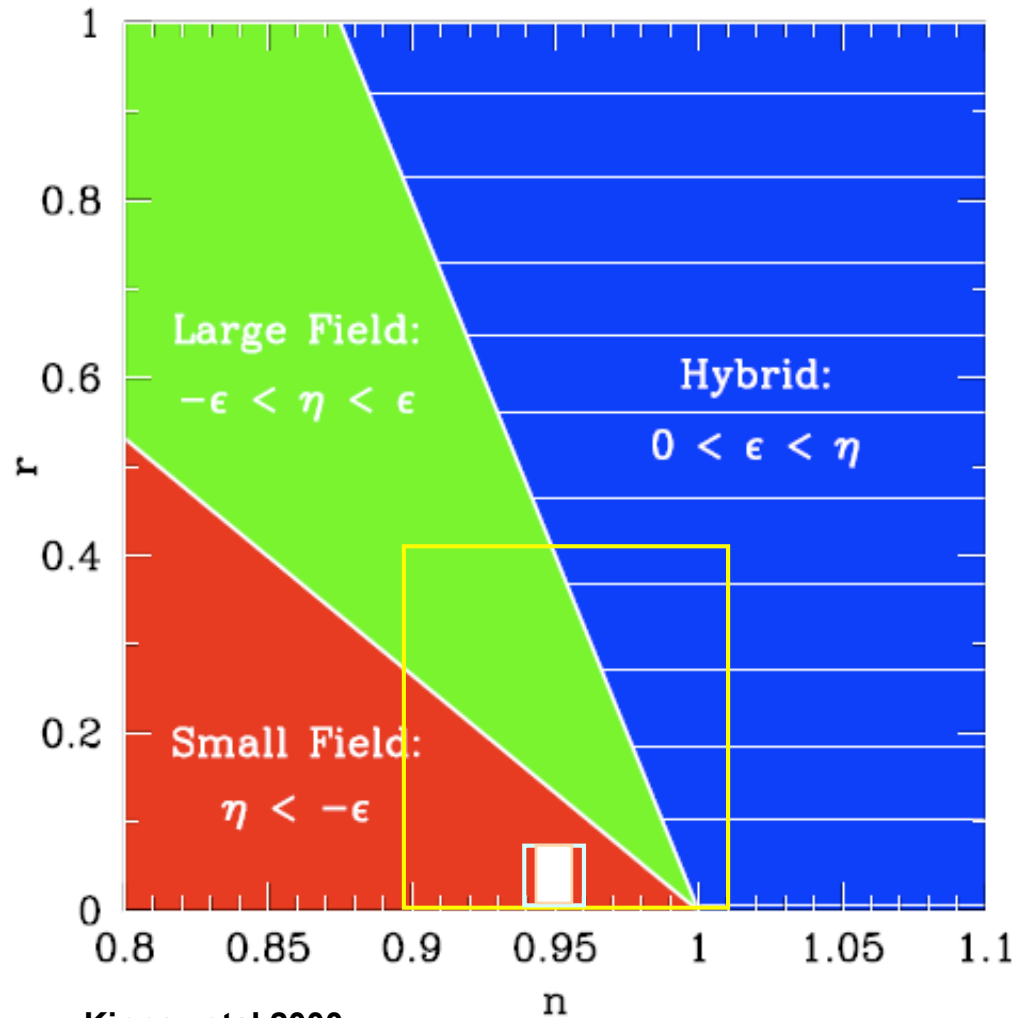
Constraints of parameters linked to Inflation - 2



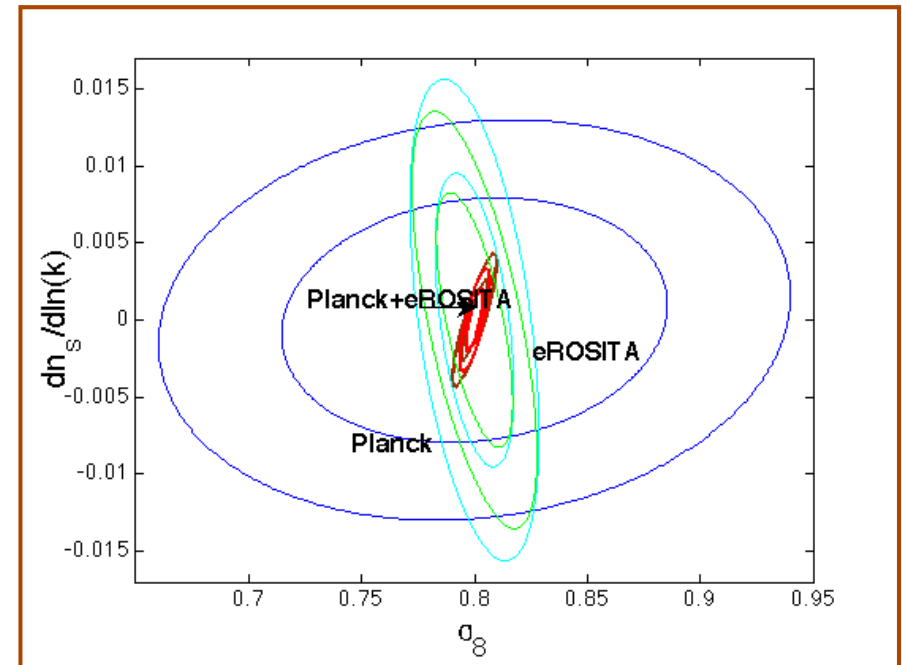
~ 30% improvement in n_s
~ 4 times improvement in $dn_s/d\ln k$

First eROSITA International Conference,
Garmisch -Partenkirchen, 17-20 October 2011

Constraints of parameters linked to Inflation - 3



Kinney et al 2000

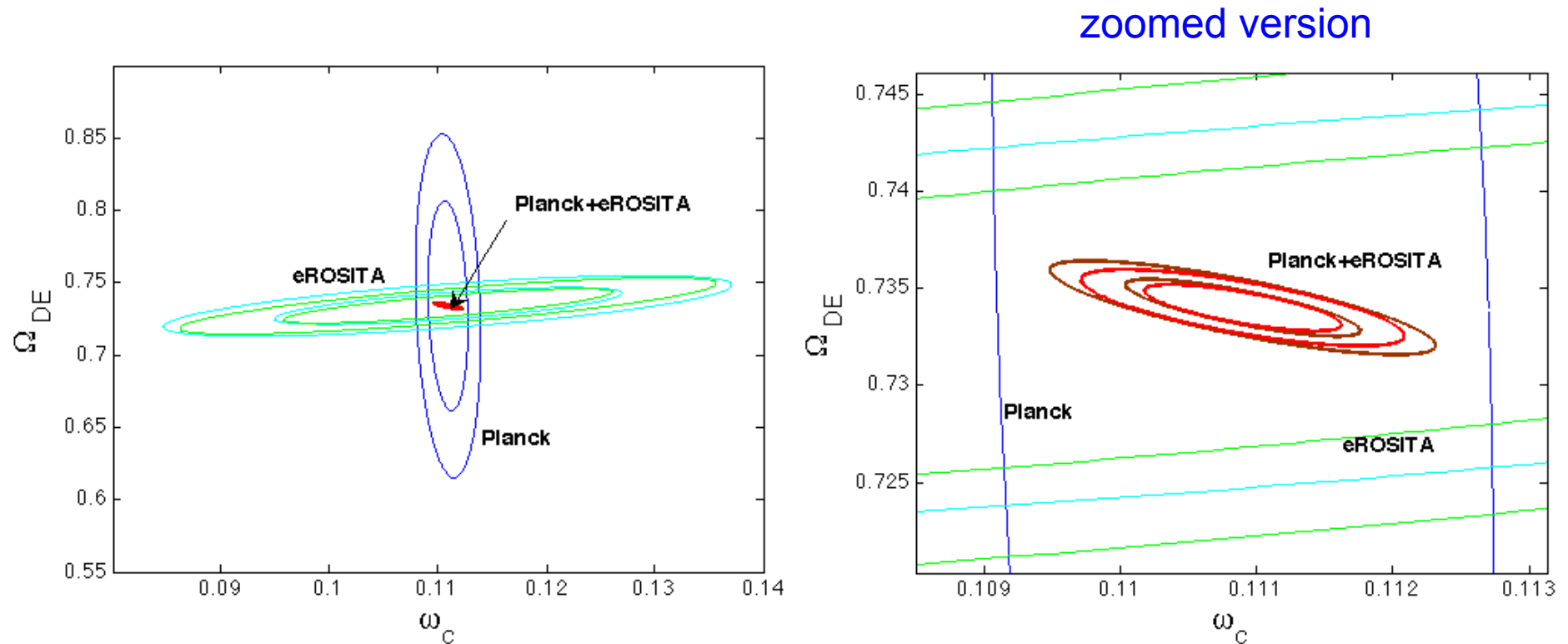


Ex - For Large field quartic potn. -

$$n_s \simeq 0.06, \quad \frac{dn_s}{d\ln k} \simeq 0.001, \quad r \simeq 0.2$$

$$\Delta n_s \sim 0.003, \quad \Delta dn_s/d\ln k \sim 0.0013, \quad \Delta r \sim 0.025 \text{ (with B modes, for } r=0)$$

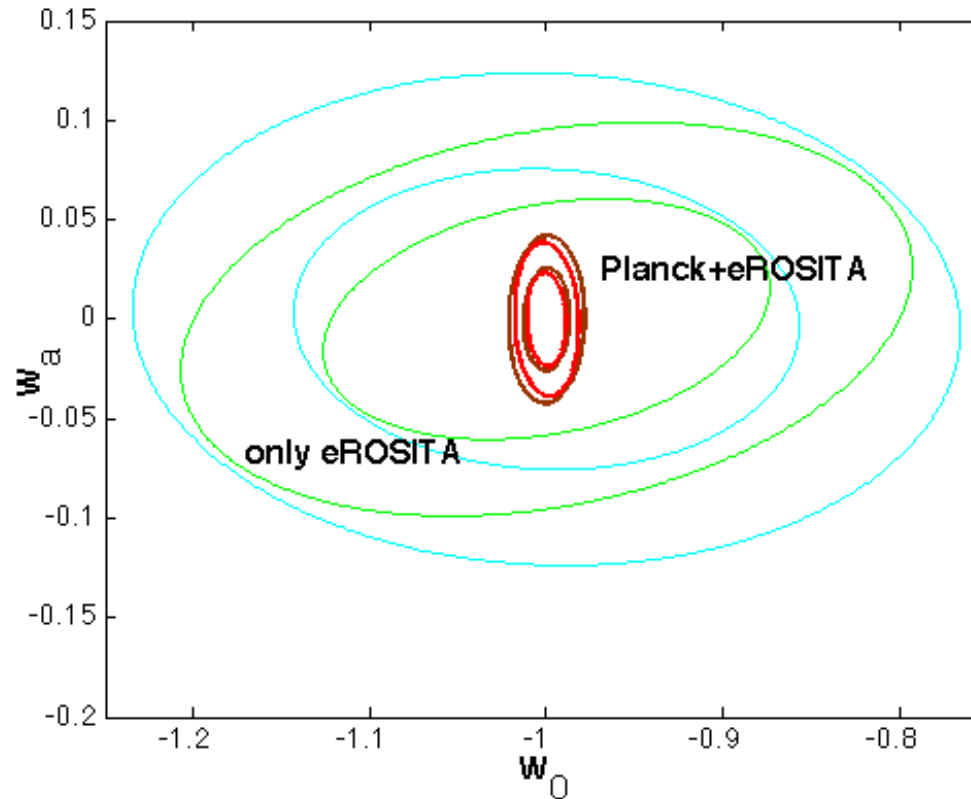
Constraints on *Amount* of Dark Energy



CMB by itself can poorly constrain DE, when both amount (Ω_{DE}) and nature i.e eqn state w are unknown. Tremendous improvement on adding eROSITA.

Constraint on Ω_{DE} improves by a factor of ~ 50 compared to Planck alone!!

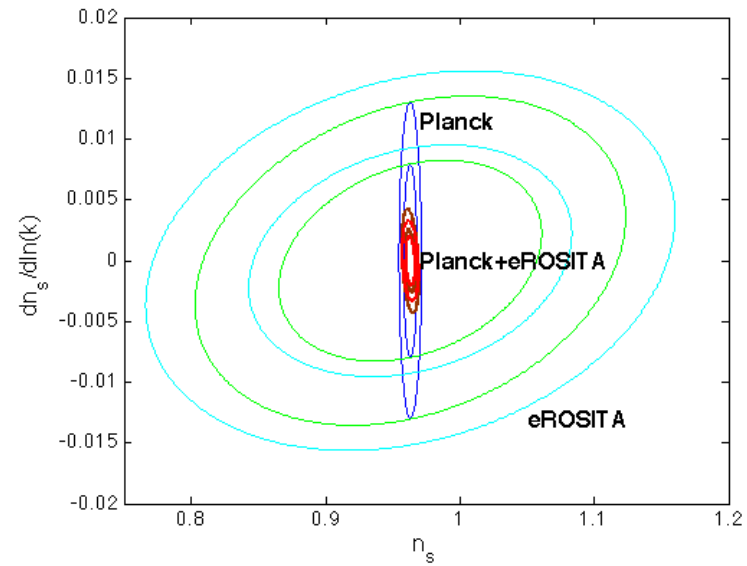
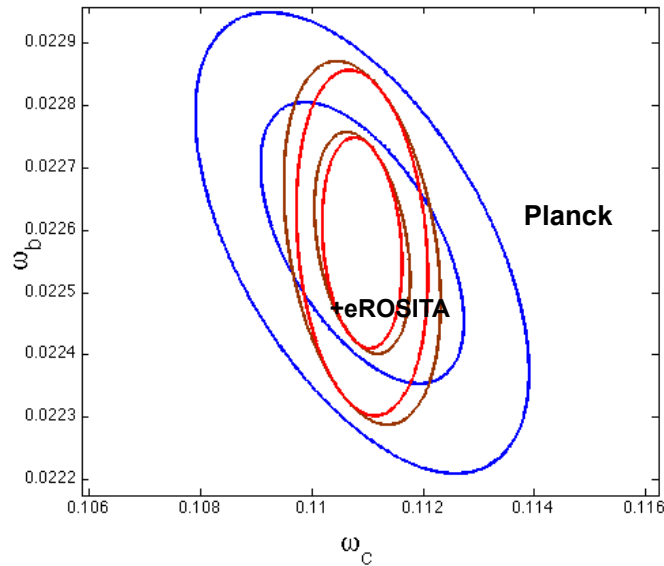
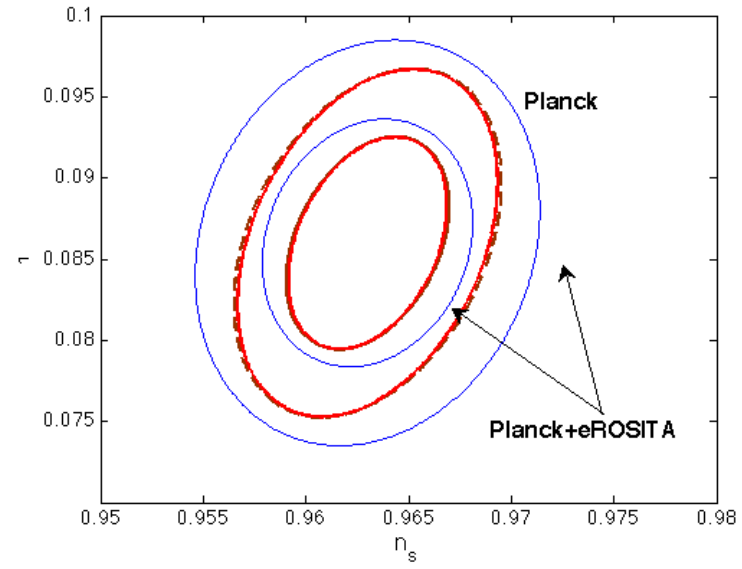
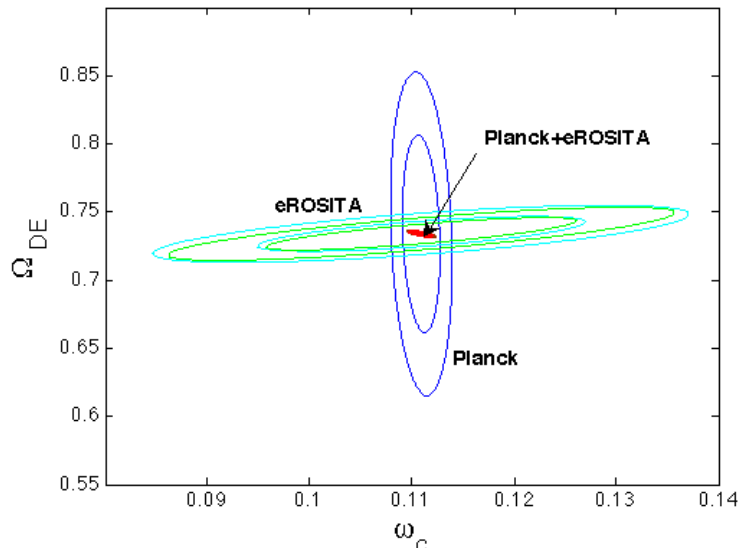
Constraints on *Nature* of Dark Energy



For const equation of state 'w' for DE, eROSITA improves constraints by a factor of 20!!

For varying 'w', CMB puts negligible constraint on the z-dependence of w. There is not much point in comparing. However, CMB helps a lot indirectly.

From WMAP to Planck to eROSITA



WMAP+Planck+eROSITA (RUSHPAK, 2005)

Table of Cosmology Constraints (marginalized over 11 parameters)

Follow-up of 400 clusters - 15% errors in mass

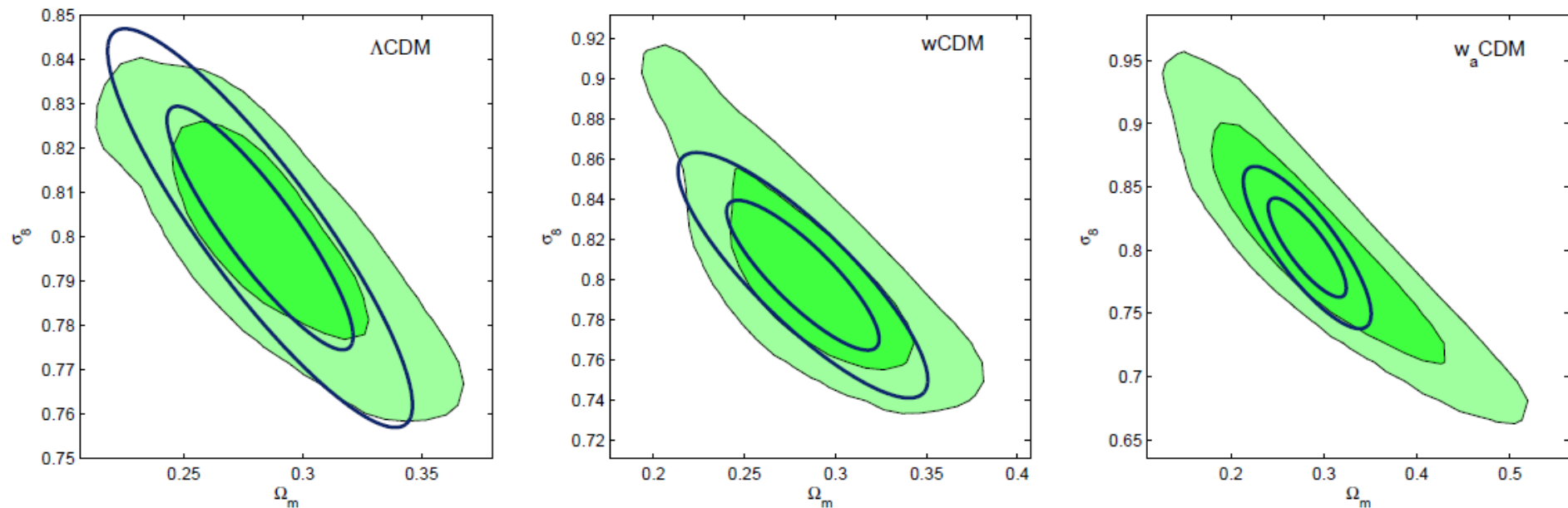
	Planck	+dndz+fup	+Pk	only clusters
wb	1.500e-04	1.200e-04	1.100e-04	5.800e-04
wc	1.210e-03	8.100e-04	4.800e-04	1.000e-02
Om_L	4.779e-02	1.767e-02	8.000e-04	7.850e-03
ns	3.380e-03	2.850e-03	2.560e-03	6.450e-02
run	5.230e-03	4.890e-03	1.340e-03	5.450e-03
s8	5.632e-02	1.447e-02	2.740e-03	1.113e-02
w0	1.759e-01	5.425e-02	7.470e-03	8.051e-02
wa	-		3.0e-02	
r	1.612e-02	1.61e-02	1.61e-02	--

Follow-up of 200 clusters - 20% errors in mass

	Planck	+dndz+fup	+Pk	only clusters
wb	1.500e-04	1.300e-04	1.200e-04	5.800e-04
wc	1.210e-03	8.700e-04	5.700e-04	1.057e-02
Om_L	4.779e-02	2.038e-02	9.800e-04	8.430e-03
ns	3.380e-03	2.920e-03	2.630e-03	7.929e-02
run	5.230e-03	5.040e-03	1.740e-03	6.290e-03
s8	5.632e-02	1.793e-02	3.990e-03	1.152e-02
w0	1.759e-01	6.430e-02	8.770e-03	9.433e-02
r	1.612e-02	1.61e-02	1.61e-02	--

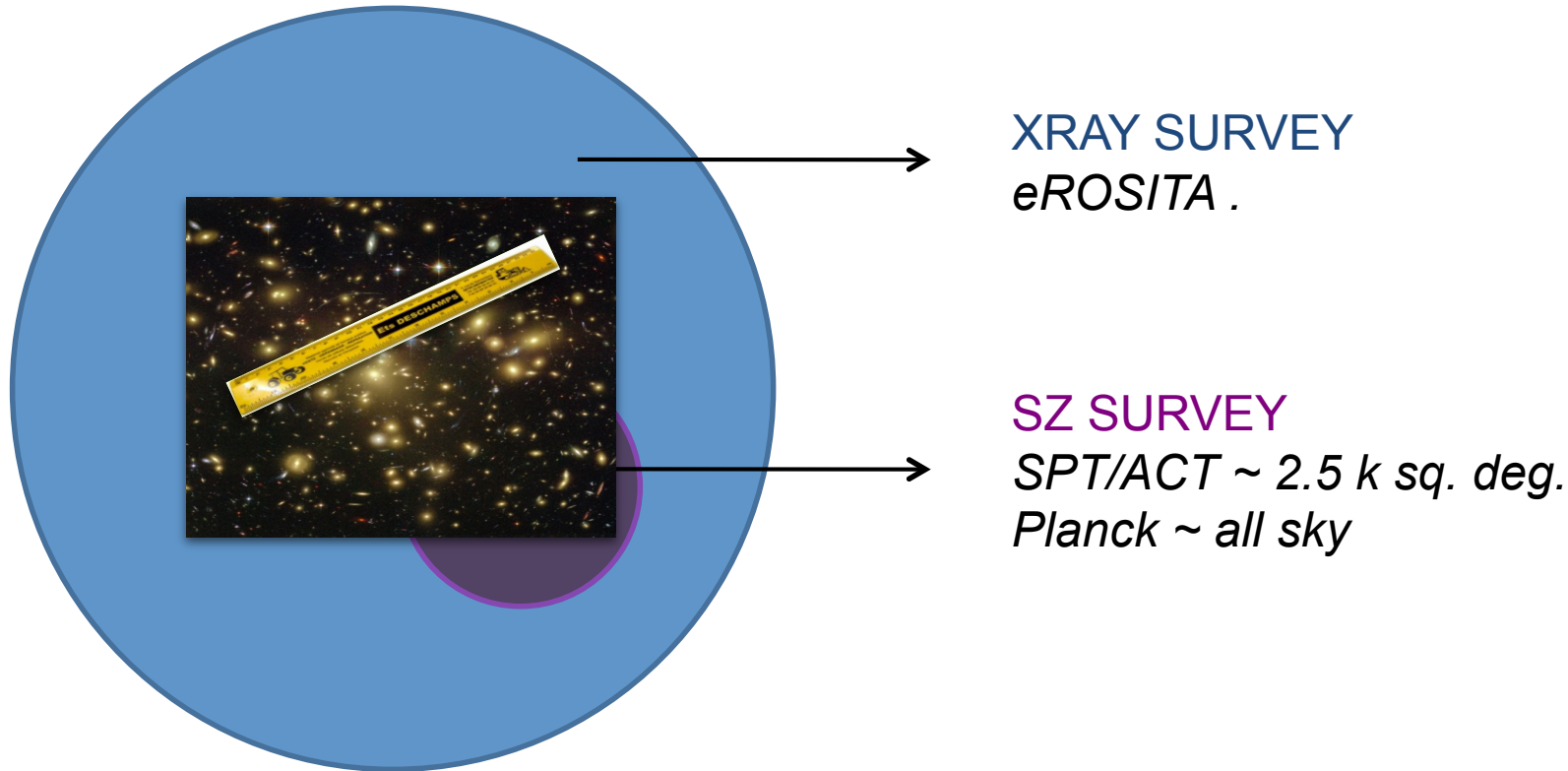
One word of caution

With more and more parameters (and certain parameters like w_a), Fisher forecasts becomes more and more unreliable. Very important to do MCMC even for cluster forecasts. That's the bad news!



The good news is that addition of extra information: follow-up, P_k , CMB makes helps in 'Gaussianizing' the pdf, so mismatch is less extreme. So that's the good news.

Use other synergies between SZ and eROSITA



Find common clusters in the region of overlap between the 2 surveys.

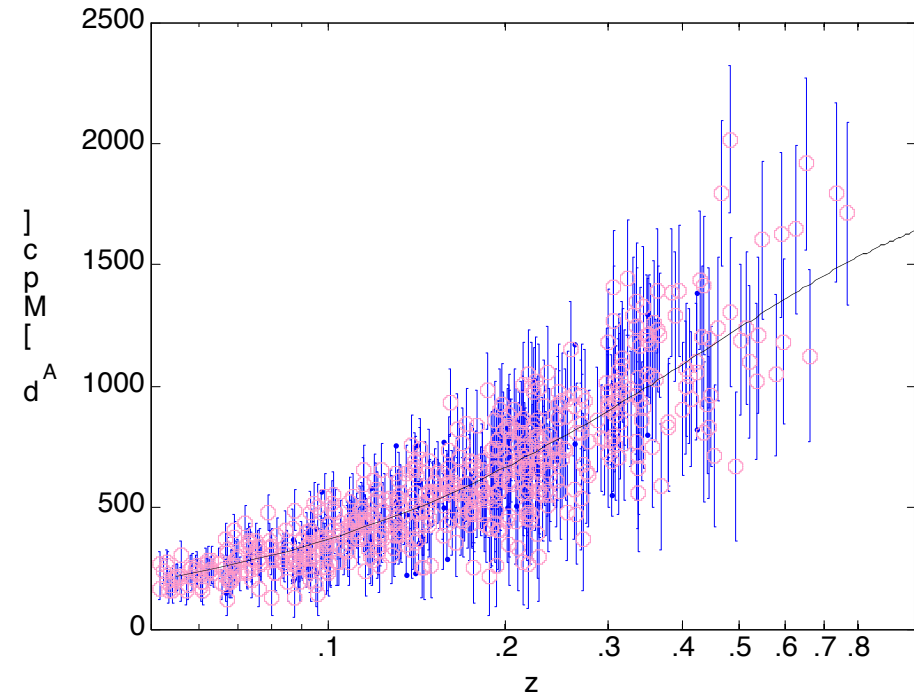
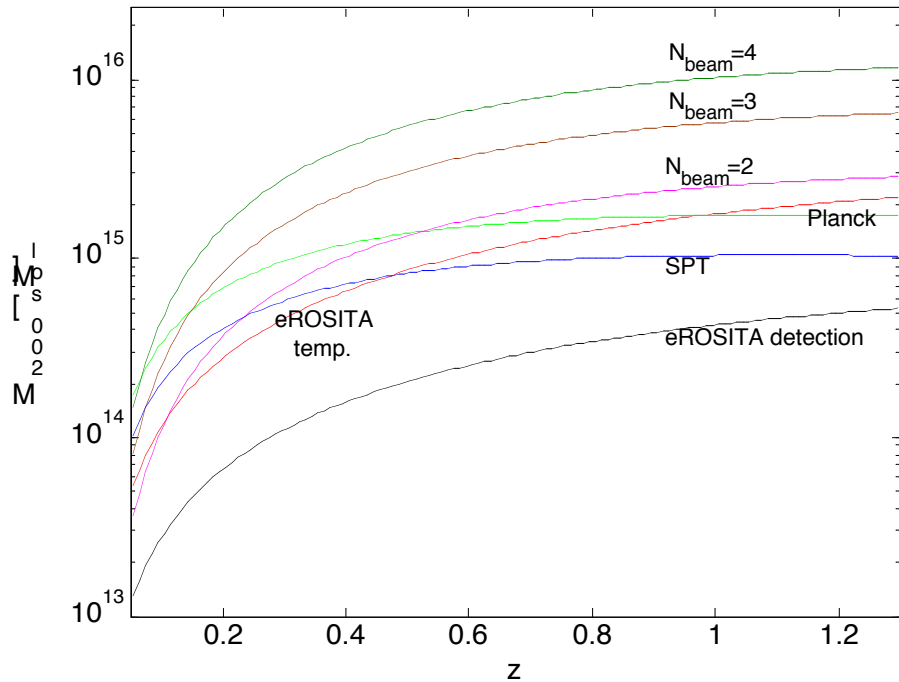
Common clusters also ideal for Xray mass calibration (since Y-M can be compared)

--> so $\langle T \rangle$ should target these.

SZ clusters will have first go at the z's.

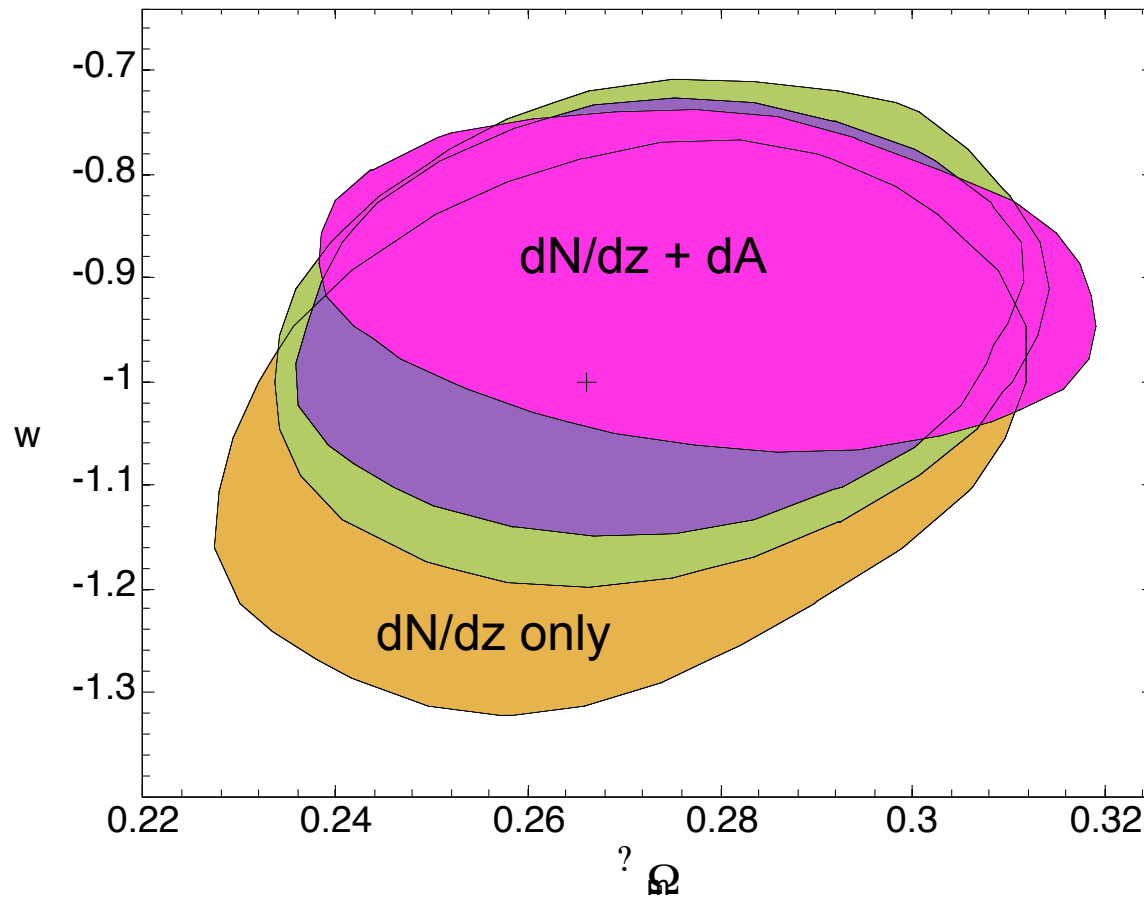
ESTIMATE $d_A(z)$ for each cluster.

Xray+SZ survey synergy - making a mock $d_A(z)$...



mock catalog created from SZ + Xray for $N_{\text{beam}}=2$ with 25% errors in $d_A(z)$.

With help from eROSITA, one can improve DE constraints from Planck clusters



eROSITA, Self-Calibration and Non-Gaussianity ...

Cluster P_k depends on bias.

---> Non-Gaussianity modifies large scale bias.

---> eROSITA having large volume probes large scales

---> P_k is needed for self-calibration.

Self-calibrated eROSITA clusters is ideal for probing Non-Gaussianity.

(next in Annalisa's talk)

Conclusions

Cosmic Complimentarity comes back after a decade.

(Eisenstein et al 1998-2000, CMB+Galaxies, CMB + SNe.)

Now we have CMB + Clusters (but not just $P(k)$)

By constraining σ_8 , n_s and $dn_s/d\ln k$, eROSITA, parameter space for inflation models is greatly reduced.

By constraining WDE, w_0 , w_a , eROSITA can heavily restrict the DE param space.

Joint clusters in Planck and eROSITA can give measurement of $dA(z)$.

eROSITA is ideal for looking for primordial Non-Gaussianity.

THANK YOU

**First eROSITA International Conference,
Garmisch -Partenkirchen, 17-20 October 2011**